Title

subscripts — Use of subscripts

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Description

Subscripts come in two styles.

In [subscript] syntax—called list subscripts—an element or a matrix is specified:

x[1,2]	the 1,2 element of x ; a scalar
x[(1\3\2), (4,5)]	the 3 \times 2 matrix composed of rows 1, 3, and 2 and columns 4 and 5 of <i>x</i> :

x_{14}	x_{15}
x_{34}	x_{35}
x_{24}	x_{25}

In [|subscript|] syntax—called range subscripts—an element or a contiguous submatrix is specified:

x[1,2]	same as x[1,2];	a sca	lar	
$x[2,3 \setminus 4,7]$	3×4 submatrix of x:				
	$\begin{bmatrix} x_{23} \\ x_{33} \\ x_{43} \end{bmatrix}$	$x_{24} \\ x_{34} \\ x_{44}$	$x_{25} \\ x_{35} \\ x_{45}$	$x_{26} \\ x_{36} \\ x_{40}$	$x_{27} \\ x_{37} \\ x_{47}$

Both style subscripts may be used in expressions and may be used on the left-hand side of the equal-assignment operator.

Syntax

x[*real vector r*, *real vector c*]

x[|real matrix sub|]

Subscripts may be used on the left or right of the equal-assignment operator.

Remarks and examples

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Remarks are presented under the following headings:

List subscripts Range subscripts When to use list subscripts and when to use range subscripts A fine distinction

List subscripts

List subscripts—also known simply as subscripts—are obtained when you enclose the subscripts in square brackets, [and]. List subscripts come in two basic forms:

x[ivec, jvec]	matrix composed of rows ivec and columns jvec of matrix x
v[kvec]	vector composed of elements kvec of vector v

where ivec, jvec, kvec may be a vector or a scalar, so the two basic forms include

x[i, j]	scalar <i>i</i> , <i>j</i> element
x[i, jvec]	row vector of row <i>i</i> , elements <i>jvec</i>
x[ivec, j]	column vector of column <i>j</i> , elements <i>ivec</i>
v [k]	scalar k th element of vector v

Also missing value may be specified to mean all the rows or all the columns:

x[i,.]	row vector of row i of x
x[.,j]	column vector of column j of x
<i>x</i> [<i>ivec</i> ,.]	matrix of rows <i>ivec</i> , all columns
x[., jvec]	matrix of columns jvec, all rows
x[.,.]	the entire matrix

Finally, Mata assumes missing value when you omit the argument entirely:

same as $x[i,.]$
same as x[ivec,.]
same as $x[., j]$
same as x[., jvec]
same as $x[.,.]$

Good style is to specify *ivec* as a column vector and *jvec* as a row vector, but that is not required:

$x[(1\backslash 2\backslash 3), (1,2,3)]$	good style
x[(1,2,3), (1,2,3)]	same as $x[(1\2\3), (1,2,3)]$
$x[(1\backslash 2\backslash 3), (1\backslash 2\backslash 3)]$	same as $x[(1\2\3), (1,2,3)]$
$x[(1,2,3), (1\backslash 2\backslash 3)]$	same as $x[(1\backslash 2\backslash 3), (1,2,3)]$

Similarly, good style is to specify *kvec* as a column when v is a column vector and to specify *kvec* as a row when v is a row vector, but that is not required and what is returned is a column vector if v is a column and a row vector if v is a row:

rowv[(1,2,3)]	good style for specifying row vector
$rowv[(1\backslash 2\backslash 3)]$	same as rowv[(1,2,3)]
$colv[(1\backslash 2\backslash 3)]$	good style for specifying column vector
<i>colv</i> [(1,2,3)]	same as $colv[(1\backslash 2\backslash 3)]$

Subscripts may be used in expressions following a variable name:

first = list[1]
multiplier = x[3,4]
result = colsum(x[,j])

Subscripts may be used following an expression to extract a submatrix from a result:

```
allneeded = invsym(x)[(1::4), .] * multiplier
```

Subscripts may be used on the left-hand side of the equal-assignment operator:

x[1,1] = 1 x[1,.] = y[3,.] x[(1::4), (1..4)] = I(4)

Range subscripts

Range subscripts appear inside the difficult to type [| and |] brackets. Range subscripts come in four basic forms:

x[i,j]	i, j element; same result as $x[i, j]$
v[k]	kth element of vector; same result as $v[k]$
$x[i,j \setminus k,l]$	submatrix, vector, or scalar formed using (i, j) as top-left corner and (k, l) as bottom-right corner
$v[i \setminus k]$	subvector or scalar of elements i through k ; result is row vector if v is row vector, column vector if v is column vector

Missing value may be specified for a row or column to mean all rows or all columns when a 1×2 or 1×1 subscript is specified:

x[i,.]	row i of x ; same as $x[i, .]$
x[.,j]	column j of x ; same as $x[., j]$
x[.,.]	entire matrix; same as x[.,.]
v[.]	entire vector; same as v[.]

Also missing may be specified to mean the number of rows or the number of columns of the matrix being subscripted when a 2×2 subscript is specified:

$x[1,2 \setminus 4,.]$	equivalent to $x[1,2 \setminus 4, cols(x)]$
x[1,2\.,3]	equivalent to $x[1,2 \setminus rows(x),3]$
$x[1,2 \setminus .,.]$	equivalent to $x[1,2 \setminus rows(x), cols(x]]$

With range subscripts, what appears inside the square brackets is in all cases interpreted as a matrix expression, so in

sub = (1,2) ... x[|sub|] ... x[sub] refers to x[1,2]. Range subscripts may be used in all the same contexts as list subscripts; they may be used in expressions following a variable name

```
submat = result[|1,1 \setminus 3,3|]
```

they may be used to extract a submatrix from a calculated result

```
allneeded = invsym(x)[|1,1 \setminus 4,4|]
```

and they may be used on the left-hand side of the equal-assignment operator:

 $x[|1,1 \setminus 4,4|] = I(4)$

When to use list subscripts and when to use range subscripts

Everything a range subscript can do, a list subscript can also do. The one seemingly unique feature of a range subscript,

 $x[|i1,j1 \setminus i2,j2|]$

is perfectly mimicked by

x[(i1::i2), (j1..j2)]

The range-subscript construction, however, executes more quickly, and so that is the purpose of range subscripts: to provide a fast way to extract contiguous submatrices. In all other cases, use list subscripts because they are faster.

Use list subscripts to refer to scalar values:

result = x[1,3] x[1,3] = 2

Use list subscripts to extract entire rows or columns:

```
obs = x[., 3]
var = x[4, .]
```

Use list subscripts to permute the rows and columns of matrices:

```
: x = (1,2,3,4 \setminus 5,6,7,8 \setminus 9,10,11,12)
: y = x[(1\backslash 3\backslash 2), .]
: y
           1
                 2
                        3
                               4
                 2
  1
           1
                        3
                               4
  2
           9
                10
                       11
                              12
           5
  3
                 6
                        7
                               8
y = x[., (1,3,2,4)]
: у
           1
                 2
                        3
                               4
  1
           1
                 3
                        2
                               4
  2
           5
                 7
                        6
                               8
  3
           9
                11
                       10
                              12
: y=x[(1\3\2), (1,3,2,4)]
```

: у	1	2	3	4	
1 2 3	1 9 5	3 11 7	2 10 6	4 12 8	

Use list subscripts to duplicate rows or columns:

: x =	= (1,2	,3,4 \	5,6,	7,8	9,10	,11,12)
: $y = x[(1 \setminus 2 \setminus 3 \setminus 1), .]$						
: у	1	2	3	4		
1 2 3 4	1 5 9 1	2 6 10 2	3 7 11 3	4 8 12 4		
: y =	= x[.,	(1,2,	3,4,2	2)]		
: у	1	2	3	4	5	
1 2 3	1 5 9	2 6 10	3 7 11	4 8 12	2 6 10	
: $y = x[(1\backslash 2\backslash 3\backslash 1), (1,2,3,4,2)]$						
: у	1	2	3	4	5	
1 2 3 4	1 5 9 1	2 6 10 2	3 7 11 3	4 8 12 4	2 6 10 2	

A fine distinction

There is a fine distinction between x[i, j] and x[|i, j|]. In x[i, j], there are two arguments, *i* and *j*. The comma separates the arguments. In x[|i, j|], there is one argument: *i*, *j*. The comma is the column-join operator.

In Mata, comma means mostly the column-join operator:

newvec = oldvec, addedvalues
qsum = (x,1)'(x,1)

There are, in fact, only two exceptions. When you type the arguments for a function, the comma separates one argument from the next:

result = f(a,b,c)

In the above example, f() receives three arguments: a, b, and c. If we wanted f() to receive one argument, (a, b, c), we would have to enclose the calculation in parentheses:

result = f((a,b,c))

That is the first exception. When you type the arguments inside a function, comma means argument separation. You get back to the usual meaning of comma—the column-join operator—by opening another set of parentheses.

The second exception is in list subscripting:

x[i,j]

Inside the list-subscript brackets, comma means argument separation. That is why you have seen us type vectors inside parentheses:

 $x[(1\backslash 2\backslash 3), (1,2,3)]$

These are the two exceptions. Range subscripting is not an exception. Thus in

x[|i, j|]

there is one argument, *i*, *j*. With range subscripts, you may program constructs such as

IJ = (i,j)RANGE = (1,2 \ 4,4) x[|IJ|] ... x[|RANGE|] ...

You may not code in this way with list subscripts. In particular, x[IJ] would be interpreted as a request to extract elements *i* and *j* from vector *x*, and would be an error otherwise. x[RANGE] would always be an error.

We said earlier that list subscripts x[i, j] are a little faster than range subscripts x[|i, j|]. That is true, but if IJ=(i, j) already, x[|IJ|] is faster than x[i, j]. You would, however, have to execute many millions of references to x[|IJ|] before you could measure the difference.

Conformability

x[i, j]:				
<i>x</i> :	$r \times c$			
<i>i</i> :	$m \times 1$	or	$1 \times m$	(does not matter which)
	$1 \times n$	or	$n \times 1$	(does not matter which)
result:	$m \times n$			
x[i, .]:				
<i>x</i> :	$r \times c$			
<i>i</i> :	$m \times 1$	or	$1 \times m$	(does not matter which)
result:	$m \times c$			
x[., j]:				
<i>x</i> :	$r \times c$			
<i>j</i> :	$1 \times n$	or	$n \times 1$	(does not matter which)
result:	$r \times n$			
x[., .]:				
<i>x</i> :	$r \times c$			
result:	$r \times c$			

<i>x</i> [<i>i</i>]:				
	x:	$n \times 1$	$1 \times n$	
	<i>i</i> :	$m \times 1$ or $1 \times m$	$1 \times m$ or $m \times 1$	
	result:	$m \times 1$	$1 \times m$	
x[.]:				
λ[.].	x:	$n \times 1$	$1 \times n$	
	result:	$n \times 1$	$1 \times n$	
x[k]:				
		$r \times c$ 1 × 2		
		1×2 1 × 1 if k[1]<. and k[2]		
	resuit.			
		$r \times 1$ if $k[1] \ge$ and $k[2]$		
		$1 \times c$ if $k[1] <$. and $k[2]$		
		$r \times c$ if $k[1] \ge$ and $k[2]$	>=.	
x[k]:				
	<i>x</i> :	$r \times c$		
	<i>k</i> :	2×2		
	result:	$k[2,1]-k[1,1]+1 \times k[2,2]$]-k[1,2]+1	
		(in the above formula, if $k[2,1] \ge$, treat as if $k[2,1] = r$,		
		and similarly, if $k[2$,2]>=., treat as if k[2,2]=c)	
x[k]:	x:	$r \times 1$	$1 \times c$	
	<i>k</i> :	2×1	2×1	
	result:	$k[2] - k[1] + 1 \times 1$	$1 \times k[2] - k[1] + 1$	
		(if $k[2] \ge$, treat as	(if $k[2] >= .$, treat as	
		$(1 \ k[2]) = 1$, used as if $k[2] = r$)	$(1 \ k[2])^{-1}, \text{ ucat as}$ if $k[2]=c)$	
		$\prod_{i=1}^{n} \prod_{j=1}^{n} \prod_{j=1}^{n} \prod_{i=1}^{n} \prod_{j=1}^{n} \prod_{j=1}^{n} \prod_{i=1}^{n} \prod_{j=1}^{n} \prod_{j=1}^{n} \prod_{i=1}^{n} \prod_{j=1}^{n} \prod_{j$	$\prod (\lfloor 2 \rfloor = l)$	

Diagnostics

Both styles of subscripts abort with error if the subscript is out of range, if a reference is made to a nonexisting row or column.

Reference

Gould, W. W. 2007. Mata Matters: Subscripting. Stata Journal 7: 106-116.

Also see

[M-2] intro — Language definition