

`amat` (*matrix_name*) specifies a valid Stata matrix name by which the companion matrix can be saved.

The companion matrix is referred to as the **A** matrix in Lütkepohl (2005) and [TS] **varstable**. The default is not to save the companion matrix.

`graph` causes `vecstable` to draw a graph of the eigenvalues of the companion matrix.

`dlabel` labels the eigenvalues with their distances from the unit circle. `dlabel` cannot be specified with `modlabel`.

`modlabel` labels the eigenvalues with their moduli. `modlabel` cannot be specified with `dlabel`.

marker_options specify the look of markers. This look includes the marker symbol, the marker size, and its color and outline; see [G-3] **marker_options**.

`rlopts` (*cline_options*) affects the rendition of the reference unit circle; see [G-3] **cline_options**.

`nogrid` suppresses the polar grid circles.

`pgrid`([*numlist*] [, *line_options*]) [`pgrid`([*numlist*] [, *line_options*]) ...

`pgrid`([*numlist*] [, *line_options*])] determines the radii and appearance of the polar grid circles. By default, the graph includes nine polar grid circles with radii 0.1, 0.2, ..., 0.9 that have the `grid` linestyle. The *numlist* specifies the radii for the polar grid circles. The *line_options* determine the appearance of the polar grid circles; see [G-3] **line_options**. Because the `pgrid`() option can be repeated, circles with different radii can have distinct appearances.

Add plots

`addplot` (*plot*) adds specified plots to the generated graph; see [G-3] **addplot_option**.

Y axis, X axis, Titles, Legend, Overall

twoway_options are any of the options documented in [G-3] **twoway_options**, excluding `by()`. These include options for titling the graph (see [G-3] **title_options**) and for saving the graph to disk (see [G-3] **saving_option**).

Remarks and examples

[stata.com](http://www.stata.com)

Inference after `vec` requires that the cointegrating equations be stationary and that the number of cointegrating equations be correctly specified. Although the methods implemented in `vecrank` identify the number of stationary cointegrating equations, they assume that the individual variables are $I(1)$. `vecstable` provides indicators of whether the number of cointegrating equations is misspecified or whether the cointegrating equations, which are assumed to be stationary, are not stationary.

`vecstable` is analogous to `varstable`. `vecstable` uses the coefficient estimates from the previously fitted VECM to back out estimates of the coefficients of the corresponding VAR and then compute the eigenvalues of the companion matrix. See [TS] **varstable** for details about how the companion matrix is formed and about how to interpret the resulting eigenvalues for covariance-stationary VAR models.

If a VECM has K endogenous variables and r cointegrating vectors, there will be $K - r$ unit moduli in the companion matrix. If any of the remaining moduli computed by `vecrank` are too close to one, either the cointegrating equations are not stationary or there is another common trend and the `rank()` specified in the `vec` command is too high. Unfortunately, there is no general distribution theory that allows you to determine whether an estimated root is too close to one for all the cases that commonly arise in practice.

► Example 1

In [example 1](#) of [\[TS\] vec](#), we estimated the parameters of a bivariate VECM of the natural logs of the average disposable incomes in two of the economic regions created by the U.S. Bureau of Economic Analysis. In that example, we concluded that the predicted cointegrating equation was probably not stationary. Here we continue that example by refitting that model and using `vecstable` to analyze the eigenvalues of the companion matrix of the corresponding VAR.

```
. use http://www.stata-press.com/data/r13/rdinc
. vec ln_ne ln_se
  (output omitted)
. vecstable
  Eigenvalue stability condition
```

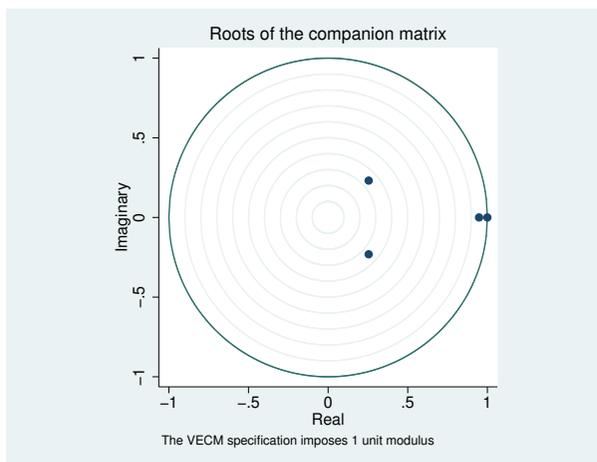
Eigenvalue	Modulus
1	1
.9477854	.947785
.2545357 + .2312756i	.343914
.2545357 - .2312756i	.343914

The VECM specification imposes a unit modulus.

The output contains a table showing the eigenvalues of the companion matrix and their associated moduli. The table shows that one of the roots is 1. The table footer reminds us that the specified VECM imposes one unit modulus on the companion matrix.

The output indicates that there is a real root at about 0.95. Although there is no distribution theory to measure how close this root is to one, per other discussions in the literature (for example, [Johansen \[1995, 137–138\]](#)), we conclude that the root of 0.95 supports our earlier analysis, in which we concluded that the predicted cointegrating equation is probably not stationary.

If we had included the `graph` option with `vecstable`, the following graph would have been displayed:



The graph plots the eigenvalues of the companion matrix with the real component on the x axis and the imaginary component on the y axis. Although the information is the same as in the table, the graph shows visually how close the root with modulus 0.95 is to the unit circle.

Stored results

`vecstable` stores the following in `r()`:

Scalars

`r(unitmod)` number of unit moduli imposed on the companion matrix

Matrices

`r(Re)` real part of the eigenvalues of **A**

`r(Im)` imaginary part of the eigenvalues of **A**

`r(Modulus)` moduli of the eigenvalues of **A**

where **A** is the companion matrix of the VAR that corresponds to the VECM.

Methods and formulas

`vecstable` uses the formulas given in *Methods and formulas* of [TS] **irf create** to obtain estimates of the parameters in the corresponding VAR from the `vec` estimates. With these estimates, the calculations are identical to those discussed in [TS] **varstable**. In particular, the derivation of the companion matrix, **A**, from the VAR point estimates is given in [TS] **varstable**.

References

Hamilton, J. D. 1994. *Time Series Analysis*. Princeton: Princeton University Press.

Johansen, S. 1995. *Likelihood-Based Inference in Cointegrated Vector Autoregressive Models*. Oxford: Oxford University Press.

Lütkepohl, H. 2005. *New Introduction to Multiple Time Series Analysis*. New York: Springer.

Also see

[TS] **vec** — Vector error-correction models

[TS] **vec intro** — Introduction to vector error-correction models