trunc() — Round to integer

Description

These functions convert noninteger values to integers by moving toward 0, moving down, moving up, or rounding. These functions are typically used with scalar arguments, and they return a scalar in that case. When used with vectors or matrices, the operation is performed element by element.

- \( \text{trunc}(R) \) returns the integer part of \( R \).
- \( \text{floor}(R) \) returns the largest integer \( i \) such that \( i \leq R \).
- \( \text{ceil}(R) \) returns the smallest integer \( i \) such that \( i \geq R \).
- \( \text{round}(R) \) returns the integer closest to \( R \).
- \( \text{round}(R, U) \) returns the values of \( R \) rounded in units of \( U \) and is equivalent to \( \text{round}((R:/U)):U \).

For instance, \( \text{round}(R, 2) \) returns \( R \) rounded to the closest even number. \( \text{round}(R, .5) \) returns \( R \) rounded to the closest multiple of one half. \( \text{round}(R, 1) \) returns \( R \) rounded to the closest integer and so is equivalent to \( \text{round}(R) \).

Syntax

- \( \text{real matrix trunc(real matrix R)} \)
- \( \text{real matrix floor(real matrix R)} \)
- \( \text{real matrix ceil(real matrix R)} \)
- \( \text{real matrix round(real matrix R)} \)
- \( \text{real matrix round(real matrix R, real matrix U)} \)

Remarks and examples

Remarks are presented under the following headings:

- Relationship to Stata’s functions
- Examples of rounding
Relationship to Stata’s functions

\( \text{trunc()} \) is equivalent to Stata’s \text{int()} \) function.

\( \text{floor()}, \text{ceil()}, \) and \( \text{round()} \) are equivalent to Stata’s functions of the same name.

Examples of rounding

<table>
<thead>
<tr>
<th>( x )</th>
<th>( \text{trunc}(x) )</th>
<th>( \text{floor}(x) )</th>
<th>( \text{ceil}(x) )</th>
<th>( \text{round}(x) )</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>1.3</td>
<td>1</td>
<td>1</td>
<td>2</td>
<td>1</td>
</tr>
<tr>
<td>1.6</td>
<td>1</td>
<td>1</td>
<td>2</td>
<td>2</td>
</tr>
<tr>
<td>-1</td>
<td>-1</td>
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<td>-1</td>
<td>-2</td>
</tr>
</tbody>
</table>

Conformability

\( \text{trunc}(R), \text{floor}(R), \text{ceil}(R) \):
\[
R: \quad r \times c \\
result: \quad r \times c
\]
\( \text{round}(R) \):
\[
R: \quad r \times c \\
result: \quad r \times c
\]
\( \text{round}(R, U) \):
\[
R: \quad r_1 \times c_1 \\
U: \quad r_2 \times c_2, \quad R \text{ and } U \text{ r-conformable} \\
result: \quad \max(r_1, r_2) \times \max(c_1, c_2)
\]

Diagnostics

Most Stata and Mata functions return missing when arguments contain missing, and in particular, return . whether the argument is ., .a, .b, . . ., .z. The logic is that performing the operation on a missing value always results in the same missing-value result. For example, \( \text{sqrt}(.a)==. \).

These functions, however, when passed a missing value, return the particular missing value. Thus \( \text{trunc}(.a)==.a, \text{floor}(.b)==.b, \text{ceil}(.c)==.c, \) and \( \text{round}(.d)==.d. \)

For \( \text{round()} \) with two arguments, this applies to the first argument and only when the second argument is not missing. If the second argument is missing (whether ., .a, . . ., or .z), then . is returned.
Also see

[M-4] Scalar — Scalar mathematical functions