

## Description

`cholinv( $A$ )` and `cholinv( $A$ ,  $tol$ )` return the inverse of real or complex, symmetric (Hermitian), positive-definite, square matrix  $A$ .

`_cholinv( $A$ )` and `_cholinv( $A$ ,  $tol$ )` do the same thing except that, rather than returning the inverse matrix, they overwrite the original matrix  $A$  with the inverse.

`cholinvlapacke( $A$ )`, `cholinvlapacke( $A$ ,  $tol$ )`, `_cholinvlapacke( $A$ )`, and `_cholinvlapacke( $A$ ,  $tol$ )` are similar to their correspondent functions without `lapacke` endings, but instead they use interfaces to the [LAPACK](#) routines to compute the inverse.

In all cases, optional argument  $tol$  specifies the tolerance for determining singularity; see [Remarks and examples](#) below.

## Syntax

*numeric matrix*    `cholinv(numeric matrix  $A$ )`

*numeric matrix*    `cholinv(numeric matrix  $A$ , real scalar  $tol$ )`

*void*                `_cholinv(numeric matrix  $A$ )`

*void*                `_cholinv(numeric matrix  $A$ , real scalar  $tol$ )`

*numeric matrix*    `cholinvlapacke(numeric matrix  $A$ )`

*numeric matrix*    `cholinvlapacke(numeric matrix  $A$ , real scalar  $tol$ )`

*void*                `_cholinvlapacke(numeric matrix  $A$ )`

*void*                `_cholinvlapacke(numeric matrix  $A$ , real scalar  $tol$ )`

## Remarks and examples

These routines calculate the inverse of a symmetric, positive-definite square matrix  $A$ . See [\[M-5\] luinv\(\)](#) for the inverse of a general square matrix.

$A$  is required to be square and positive definite. See [\[M-5\] qrinv\(\)](#) and [\[M-5\] pinv\(\)](#) for generalized inverses of nonsquare or rank-deficient matrices; [\[M-5\] invsym\(\)](#) for generalized inverses of real, symmetric matrices; and [\[M-5\] invmat\(\)](#) for generalized inverses of square matrices.

`cholinv( $A$ )` is logically equivalent to `cholsolve( $A$ , I(rows( $A$ )))`; see [\[M-5\] cholsolve\(\)](#) for details and for use of the optional  $tol$  argument.

## Conformability

`cholinv(A, tol):`

*A*:  $n \times n$   
*tol*:  $1 \times 1$  (optional)  
*result*:  $n \times n$

`_cholinv(A, tol):`

*input*:

*A*:  $n \times n$   
*tol*:  $1 \times 1$  (optional)

*output*:

*A*:  $n \times n$

`cholinvlapacke(A, tol):`

*A*:  $n \times n$   
*tol*:  $1 \times 1$  (optional)  
*result*:  $n \times n$

`_cholinvlapacke(A, tol):`

*input*:

*A*:  $n \times n$   
*tol*:  $1 \times 1$  (optional)

*output*:

*A*:  $n \times n$

## Diagnostics

The inverse returned by these functions is real if  $A$  is real and is complex if  $A$  is complex. If you use these functions with a non-positive-definite matrix, or a matrix that is too close to singularity, returned will be a matrix of missing values. The determination of singularity is made relative to *tol*. See [Tolerance](#) under *Remarks and examples* in [M-5] [cholsolve\(\)](#) for details.

`cholinv(A)` and `_cholinv(A)` return a result containing all missing values if  $A$  is not positive definite or if  $A$  contains missing values.

`_cholinv(A)` aborts with error if  $A$  is a view.

`cholinvlapacke(A)` and `_cholinvlapacke(A)` return a result containing all missing values if  $A$  is not positive definite or if  $A$  contains missing values.

`_cholinvlapacke(A)` aborts with error if  $A$  is a view.

See [M-5] [cholsolve\(\)](#) and [M-1] [Tolerance](#) for information on the optional *tol* argument.

All functions use the elements from the lower triangle of  $A$  without checking whether  $A$  is symmetric or, in the complex case, Hermitian.

## Also see

- [M-5] **\_invmat()** — Inverse and pseudoinverse of a square matrix
- [M-5] **invsym()** — Symmetric real matrix inversion
- [M-5] **luinv()** — Square matrix inversion
- [M-5] **pinv()** — Moore–Penrose pseudoinverse
- [M-5] **qrinv()** — Generalized inverse of matrix via QR decomposition
- [M-5] **cholsolve()** — Solve  $AX=B$  for  $X$  using Cholesky decomposition
- [M-5] **solve\_tol()** — Tolerance used by solvers and inverters
- [M-4] **Matrix** — Matrix functions
- [M-4] **Solvers** — Functions to solve  $AX=B$  and to obtain  $A$  inverse

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