

Assessing convergent and discriminant validity in the
ADHD-R IV rating scale:
User-written commands for Average Variance Extracted
(AVE), Composite Reliability (CR), and
Heterotrait-Monotrait ratio of correlations (HTMT).

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Overview

Campbell and Fiske (1959) proposed two aspects to assess the construct validity of a test:

- 1 **Convergent validity:** is the degree of confidence we have that a trait is well measured by its indicators.
- 2 **Discriminant validity:** is the degree to which measures of different traits are unrelated.

In structural equation modelling, Confirmatory Factor Analysis has been usually used to assess construct validity (Jöreskog, 1969).

Example: Two-factor CFA model

In a **Confirmatory Factor Analysis** convergent and discriminant validity examine the extent to which measures of a latent variable shared their variance and how they are different from others.

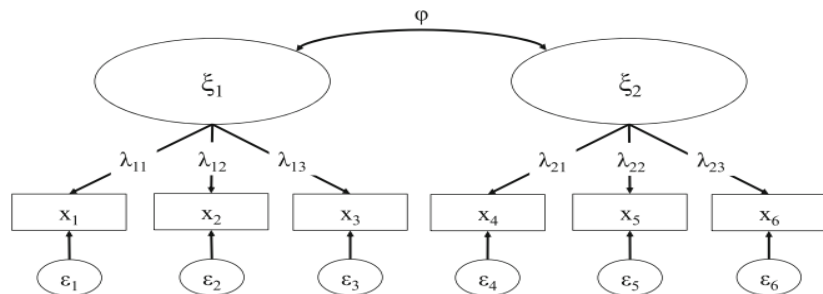


Figure 1: Example of two-factor CFA model.

Convergent Validity

The criterion of Fornell-Larcker (1981) has been commonly used to assess the degree of shared variance between the latent variables of the model.

According to this criterion, the *convergent validity* of the measurement model can be assessed by the Average Variance Extracted (AVE) and Composite Reliability (CR).

- **AVE** measures the level of variance captured by a construct versus the level due to measurement error, values above 0.7 are considered very good, whereas, the level of 0.5 is acceptable.
- **CR** is a less biased estimate of reliability than Chonbachs Alpha, the acceptable value of CR is 0.7 and above.

Average Variance Extracted (AVE)

The **Average Variance Extracted (AVE)** for construct ξ_j is defined as follows:

$$AVE_{\xi_j} = \frac{\sum_{k=1}^{K_j} \lambda_{jk}^2}{\left(\sum_{k=1}^{K_j} \lambda_{jk}^2 \right) + \Theta_{jk}}$$

Where:

K_j is the number of indicators of construct ξ_j .

λ_{jk} are factor loadings

Θ_{jk} is the error variance of the k^{th} indicator ($k = 1, \dots, K_j$) of construct ξ_j

$$\Theta_{jk} = \sum_{k=1}^{K_j} 1 - \lambda_{jk}^2$$

Composite Reliability (CR)

The **Composite Reliability (CR)** for construct ξ_j is defined as follows:

$$\rho_{c\xi_j} = \frac{\left(\sum_{k=1}^{K_j} \lambda_{j_k} \right)^2}{\left(\sum_{k=1}^{K_j} \lambda_{j_k} \right)^2 + \Theta_{j_k}}$$

Where:

K_j is the number of indicators of construct ξ_j .

λ_{j_k} are factor loadings

Θ_{j_k} is the error variance of the k^{th} indicator ($k = 1, \dots, K_j$) of construct ξ_j

$$\Theta_{j_k} = \sum_{k=1}^{K_j} 1 - \lambda_{j_k}^2$$

According to the Fornell-Larcker testing system, **discriminant validity** can be assessed by comparing the amount of the variance capture by the construct (AVE_{ξ_j}) and the shared variance with other constructs (ϕ_{ij}).

- Thus, the levels of square root of the AVE for each construct should be greater than the correlation involving the constructs.

$$\sqrt{AVE_{\xi_j}} \geq \phi_{ij} \quad \forall i \neq j$$

- Otherwise, the levels of the AVE for each construct should be greater than the squared correlation involving the constructs.

$$AVE_{\xi_j} \geq \phi_{ij}^2 \quad \forall i \neq j$$

Heterotrait-Monotrait ratio

Recently, it has been proposed the **Heterotrait-monotrait ratio of the correlations (HTMT)** approach to assess discriminant validity (Henseler, Ringle & Sarstedt, 2015).

HTMT is the average of the heterotrait-heteromethod correlations relative to the average of the monotrait-heteromethod correlations.

$$HTMT_{ij} = \frac{\frac{1}{K_i K_j} \sum_{g=1}^{K_i} \sum_{h=1}^{K_j} r_{i_g, j_h}}{\frac{2}{K_i(K_i - 1)} \sum_{g=1}^{K_i-1} \sum_{h=g+1}^{K_i} r_{i_g, i_h} \frac{2}{K_j(K_j - 1)} \sum_{g=1}^{K_j-1} \sum_{h=g+1}^{K_j} r_{j_g, j_h}}$$

Heterotrait-Monotrait ratio

The HTMT derives from the classical multitrait-multimethod (MTMM) matrix (Campbell & Fiske, 1959).

"Trait"		ζ_1			ζ_2		
		"Method"	x_1	x_2	x_3	x_4	x_5
ζ_1	x_1	1					
	x_2	$r_{1,2}$	1				
	x_3	$r_{1,3}$	$r_{2,3}$	1			
ζ_2	x_4	$r_{1,4}$	$r_{2,4}$	$r_{3,4}$	1		
	x_5	$r_{1,5}$	$r_{2,5}$	$r_{3,5}$	$r_{4,5}$	1	
	x_6	$r_{1,6}$	$r_{2,6}$	$r_{3,6}$	$r_{4,6}$	$r_{5,6}$	1

Diagram annotations:

- A triangle with vertices at (1,1), (1,2), and (1,3) is labeled "monotrait-heteromethod correlations".
- A triangle with vertices at (1,4), (1,5), and (1,6) is labeled "heterotrait-heteromethod correlations".
- A triangle with vertices at (4,4), (4,5), and (4,6) is labeled "monotrait-heteromethod correlations".

Figure 2: Example of MTMT matrix.

Heterotrait-Monotrait ratio

The HTMT is an estimate of the correlation between the constructs ξ_i and ξ_j :

- HTMT values smaller than 1 show that the true correlation between the two constructs should differ.

As a criterion HTMT values are compared with a predefined threshold:

- If the value of the HTMT is higher than this threshold, there is a lack of discriminant validity.
- Some authors suggest a threshold of 0.85 (Kline 2011), whereas others propose a value of 0.90 (Teo et al. 2008).

Otherwise, the bootstrapping procedure allows for constructing confidence intervals for the HTMT:

- This test the null hypothesis ($H_0: HTMT \geq 1$) against the alternative hypothesis ($H_1: HTMT < 1$)
- A confidence interval containing the value 1 indicates a lack of discriminant validity.

- 1 The present work presents a series of user-written commands to assess **convergent and discriminant validity** for confirmatory factor analysis models.
- 2 This commands compute **AVE, CR and HTMT ratio**; and their confidence intervals are estimated using the bootstrap method.
- 3 To demonstrate the use of these commands we use data from a sample of high school students who have been administered the **ADHD-R IV rating scale**.

help avecr

Title

avecr— Average Variance Extracted (AVE) and Composite Reliability (CR)

Syntax

```
avecr [, ci(opt) reps(integer) seed(integer) iter(integer)]
```

Description

avecr According to the criterion of Fornell-Larcker (1981) this command computes indices to assess the degree of shared variance between the latent variables of a CFA model. The convergent validity of the measurement model can be assessed by the Composite Reliability (CR) and the Average Variance Extracted (AVE). AVE measures the level of variance captured by a construct versus the level due to measurement error, values above 0.7 are considered very good, whereas, the level of 0.5 is acceptable. CR is a less biased estimate of reliability than Cronbach's Alpha, the acceptable value of CR is 0.7 and above. Discriminant validity can be assessed by comparing the AVE values with the square correlation between constructs. This command display a matrix with correlation coefficients and square root of AVE as diagonal. The bootstrapping procedure allows for constructing confidence intervals for AVE and CR indices.

Figure 3: avecr.sthlp

Options

`ci`(*opt*) specifies if the bootstrap confidence intervals are computed, `ci` must be one of the following options: "norm", "all". It is optional.

`reps`(*integer*) if bootstrap confidence intervals have been required, specifies the number of bootstrap repetitions. It is optional (by defect value is 100).

`seed`(*integer*) if bootstrap confidence intervals have been required, specifies the seed of the bootstrap analysis. It is optional (by defect value is 1).

`iter`(*integer*) if bootstrap confidence intervals have been required, specifies the maximum limit to break the a bootstrap repetition analysis. It is optional (by defect value is not limited).

<code>ci_options</code>	Description
Confidence Intervals	
<code>norm</code>	normal confidence interval (N)
<code>all</code>	normal (N), percentile (P) and bias-corrected (BC) confidence intervals

Remarks

This command computes Post-estimation analyses, remember to run previously the SEM Model. Weight and groups analysis are allowed in the SEM Model.

Figure 4: avecr.sthlp

Examples

```
. avecr
. avecr , ci(norm) reps(50)
. avecr , ci(all) reps(200) seed(4235)
. avecr , seed(6889)
. avecr , ci(norm) reps(200) seed(4235) iter(500)
. avecr , iter(2000)
```

Saved results

avecr saves the following in `r()`:

```
r(avecr)      AVE and CR coefficients
```

Reference

Fornell, C. & Larcker, D. F. (1981). Evaluating structural equation models with unobservable variables and measurement error. *Journal of Marketing Research*, 18, 390-50.

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Also see

Online: [htmt](#)

Figure 5: avecr.sthlp

htmt: Heterotrait-Monotrait ratio

```
help htmt
```

Title

```
htmt-      Heterotrait-Monotrait ratio of the correlations (HTMT)
```

Syntax

```
htmt [if] [in] [weight] [, ci(opt) reps(integer) seed(integer)
```

```
if exp command, see if.  in exp command, see in.  fweights and awweights are allowed;  
see weight.
```

Description

```
htmt The heterotrait-monotrait ratio of the correlations (HTMT) assess discriminant  
validity (Henseler, Ringle \& Sarstedt, 2015). The HTMT derives from the classical  
multitrait-multimethod (MTMM) matrix (Campbell \& Fiske, 1959). HTMT is the average  
of the heterotrait-heteromethod correlations relative to the average of the  
monotrait-heteromethod correlations. HTMT values smaller than 1 show that the true  
correlation between the two constructs should differ. As a criterion HTMT values are  
compared with a predefined threshold (e.g. .85 or .90, and if the value of the HTMT  
is higher than this threshold, there is a lack of discriminant validity. The  
bootstrapping procedure allows for constructing confidence intervals for the HTMT  
ratio.
```

Figure 6: htmt.sthlp

htmt: Heterotrait-Monotrait ratio

Options

`ci(opt)` specifies if the bootstrap confidence intervals are computed, `ci` must be one of the following options: "norm", "all". It is optional.

`reps(integer)` if bootstrap confidence intervals have been required, specifies the number of bootstrap repetitions. It is optional (by defect value is 100).

`seed(integer)` if bootstrap confidence intervals have been required, specifies the seed of the bootstrap analysis. It is optional (by defect value is 1).

<code>ci_options</code>	Description
<hr/>	
Confidence Intervals	
<code>norm</code>	normal confidence interval (N)
<code>all</code>	normal (N), percentile (P) and bias-corrected (BC) confidence intervals

Remarks

This command computes **Post-estimation analyses**, remember to run previously the SEM Model. To compare between groups use the 'if' expression on the htmt command.

Figure 7: htmt.sthlp

htmt: Heterotrait-Monotrait ratio

Examples

```
. htmt
. htmt, ci(all) seed(1687)
. htmt if edad >12 in 1/200 , ci(norm)
. htmt in 1/200 [w=edad], ci(all) reps(50) seed(256)
```

Saved results

htmt saves the following in r():

```
r(htmt)      htmt coefficients
```

Reference

- Campbell, D.T., & Fiske D.W. (1959) Convergent and discriminant validation by the multitrait-multimethod matrix. *Psychological Bulletin*, 56, 81-105
- Henseler, J.; Ringle, C. M.; Sarstedt, M. (2015). A new criterion for assessing discriminant validity in variance-based structural equation modeling. *Journal of the Academy of Marketing Science*, 43 (1), 115-135,

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Also see

Online: [avecr](#)

Example: Assessing convergent and discriminant validity in the ADHD-R IV rating scale

The ADHD-R IV rating scale assess 18 symptoms of diagnosis of the disorder for deficit of attention / hyperactivity (ADHD) given in the DSM-V.

Usually, the ratters are parents and teachers. However, it has not been proven if teenagers affected with ADHD can reliably self-report on these symptoms.

The objective of this example is to check the convergent and discriminant validity of the ADHD-R IV scale administered to different three ratters (teachers, parents and teenagers).

Participants:

On an approximate population of 1500 students between 12 and 15 years, 300 subjects were randomly selected, of whom we attempted to obtain scores on the ADHD-RS-IV scale from their teachers, parents and students themselves.

- In total, complete three scales were obtained from 203 students.
- Participants were distributed uniformly by gender (102 women) and age groups ($M=13,35$; $DT=1,07$).

ADHD-R IV rating scale

The ADHD RS-IV scale consists of 18 items fully consistent with the list of symptoms of ADHD criterion on the DSM-IV.

- 9 items assess inattention (INAT. subscale, odd items).
- 9 items assess hyperactivity/impulsivity (HYPER. subscale, even items).

Each item was scored on a Likert scale of 0 "never or rarely" to 3 "Very often".

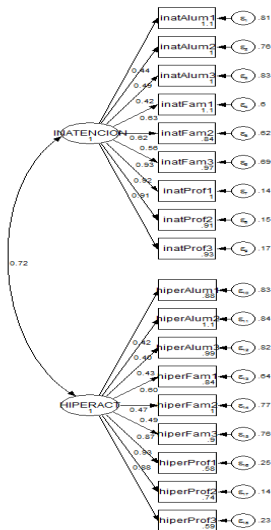
To avoid identification problems we use item parcelling in the CFA Models:

Three parcels were created for inattention and hyperactivity factors composed by each three consecutive items (Gomez, Burns, Walsh, & De Moura, 2003).

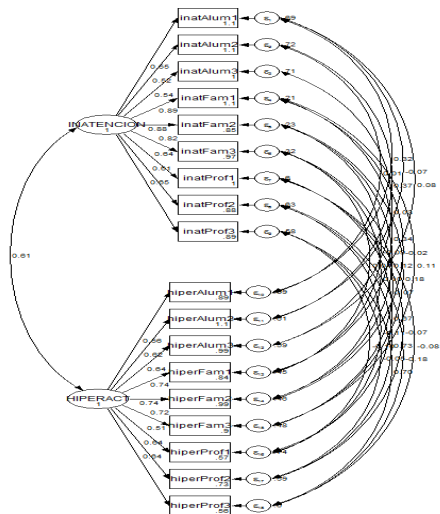
Confirmatory Factor Analysis Nested Models

- Model 0: Two-factor model with correlated factors (Jöreskog, 1967).
- Model 1: Two-factor model with correlated uniqueness (Kenny & Kashy, 1992).
- Model 2: Multitrait-multimethod model (Jöreskog, 1974).

Model 0: Two-factor model with correlated factors



Model 1: Two-factor model with correlated factors and correlated uniqueness



Model 2: Multitrait-multimethod model (MTMM)

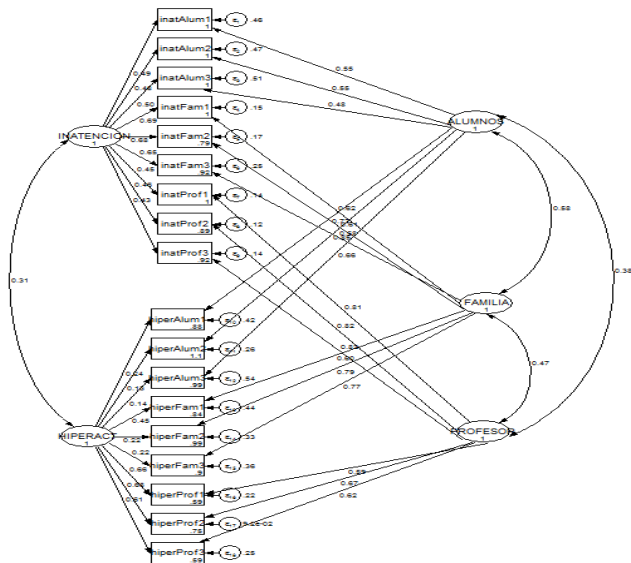


Table 1: Model Test and Fit indices

Model	χ^2 (df)	RMSEA	CFI	TLI	$\Delta \chi^2$
Model 1: CFA	1209.44* (134)	0.199	0.625	0.571	—
Model 2: Corr. Uniq.	1015.51* (110)	0.201	0.684	0.560	193.92*
Model 3: MTMM**	310.78* (113)	0.093	0.931	0.907	704.73*

*Prob > chi2 = 0.0000

Root mean squared error of approximation (RMSEA)

Comparative fit index (CFI)

Tucker-Lewis index (TLI)

Models Differences χ^2 Test

***MTMM was the best model to explain ADHD-R IV scale measures.*

avecr for Model 2: Multitrait-multimethod model (MTMM)

Figure 10: avecr, ci(norm) seed(425)

```
. avecr
file framew.ster saved
-----
Number of Groups: 1

-----
Group Number: 1

*** Factor loadings ***

e(Group_1_coeffs) [18,5]

              latent:      latent:      latent:      latent:      latent:
observed:inatAlum1  0.486      0.000      0.550      0.000      0.000
observed:inatAlum2  0.481      0.000      0.548      0.000      0.000
observed:inatAlum3  0.502      0.000      0.484      0.000      0.000
observed:inatFam1   0.686      0.000      0.000      0.617      0.000
observed:inatFam2   0.676      0.000      0.000      0.611      0.000
observed:inatFam3   0.647      0.000      0.000      0.575      0.000
observed:inatProf1  0.455      0.000      0.000      0.000      0.810
observed:inatProf2  0.462      0.000      0.000      0.000      0.818
observed:inatProf3  0.425      0.000      0.000      0.000      0.823
observed:hiperAlum1 0.000      0.239      0.726      0.000      0.000
observed:hiperAlum2 0.000      0.135      0.851      0.000      0.000
observed:hiperAlum3 0.000      0.139      0.664      0.000      0.000
observed:hiperFam1  0.000      0.448      0.000      0.599      0.000
observed:hiperFam2  0.000      0.218      0.000      0.786      0.000
observed:hiperFam3  0.000      0.219      0.000      0.770      0.000
observed:hiperProf1 0.000      0.661      0.000      0.000      0.589
observed:hiperProf2 0.000      0.675      0.000      0.000      0.672
observed:hiperProf3 0.000      0.607      0.000      0.000      0.616
```

avecr for Model 2: Multitrait-multimethod model (MTMM)

*** Lambdas ***

e(Group_1_means) [5,3]

	lambda	lambda2	1-lambda2
INATENCION	4.820	2.667	6.333
HIPERACT	3.341	1.652	7.348
ALUMNOS	3.824	2.530	3.470
FAMILIA	3.959	2.655	3.345
PROFESOR	4.328	3.181	2.819

*** AVE Sqrt(AVE) CR ***

e(Group_1_result) [5,3]

	AVE	Sqrt(AVE)	CR
INATENCION	0.296	0.544	0.786
HIPERACT	0.184	0.428	0.603
ALUMNOS	0.422	0.649	0.808
FAMILIA	0.443	0.665	0.824
PROFESOR	0.530	0.728	0.869

*** Sqrt(AVE) vs Covariances ***

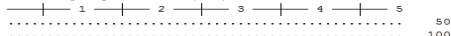
symmetric e(Group_1_correl) [5,5]

	INATENCION	HIPERACT	ALUMNOS	FAMILIA	PROFESOR
INATENCION	0.544				
HIPERACT	0.311	0.428			
ALUMNOS	0.000	0.000	0.649		
FAMILIA	0.000	0.000	0.581	0.665	
PROFESOR	0.000	0.000	0.381	0.467	0.728

avecrr for Model 2: Multitrait-multimethod model (MTMM)

*** HTMT Confidence Intervals: normal***
 (running avecrr on estimation sample)

Bootstrap replications (100)



Bootstrap results

Number of obs = 203
 Replications = 100

	Observed Coef.	Bootstrap Std. Err.	z	P> z	Normal-based [95% Conf. Interval]	
Group_1_AVE_INATENCION	.296341	.1607048	1.84	0.065	-.0186347	.6113166
Group_1_sqrtAVE_INATENCION	.5443721	.1470716	3.70	0.000	.2561171	.8326271
Group_1_CR_INATENCION	.7858067	.2170286	3.62	0.000	.3604384	1.211175
Group_1_AVE_HIPERACT	.1835948	.0663856	2.77	0.006	.0534814	.3137083
Group_1_sqrtAVE_HIPERACT	.4284797	.0690126	6.21	0.000	.2932175	.5637418
Group_1_CR_HIPERACT	.6030429	.1307266	4.61	0.000	.3468235	.8592624
Group_1_AVE_ALUMNOS	.4217481	.0572085	7.37	0.000	.3096216	.5338746
Group_1_sqrtAVE_ALUMNOS	.6494214	.0462599	14.04	0.000	.5587537	.7400891
Group_1_CR_ALUMNOS	.8082361	.0479518	16.86	0.000	.7142524	.9022199
Group_1_AVE_FAMILIA	.4425162	.0698111	6.34	0.000	.3056893	.5793432
Group_1_sqrtAVE_FAMILIA	.6652189	.0554438	12.00	0.000	.5565511	.7738868
Group_1_CR_FAMILIA	.8240939	.0587798	14.02	0.000	.7088876	.9393002
Group_1_AVE_PROFESOR	.5301302	.0896686	5.91	0.000	.3543829	.7058775
Group_1_sqrtAVE_PROFESOR	.7281004	.0617209	11.80	0.000	.6071296	.8490712
Group_1_CR_PROFESOR	.8691915	.0444834	19.54	0.000	.7820055	.9563774
Group_1_INATENCION_HIPERACT	.3112848	5.43e+10	0.00	1.000	-1.06e+11	1.06e+11
Group_1_INATENCION_ALUMNOS	0	(omitted)				
Group_1_INATENCION_FAMILIA	0	(omitted)				
Group_1_INATENCION_PROFESOR	0	(omitted)				
Group_1_HIPERACT_ALUMNOS	0	(omitted)				
Group_1_HIPERACT_FAMILIA	.5810655	.1205214	4.82	0.000	.344848	.817283
Group_1_HIPERACT_PROFESOR	0	(omitted)				
Group_1_ALUMNOS_FAMILIA	0	(omitted)				
Group_1_ALUMNOS_PROFESOR	.3811549	.1305633	2.92	0.004	.1252555	.6370543
Group_1_FAMILIA_PROFESOR	.4673913	.109814	4.26	0.000	.2521598	.6826227

avecr for Model 2: Multitrait-multimethod model (MTMM)

```
. avecr
file framew.ster saved
-----
Number of Groups: 2

-----

Group Variable: sexalumn
sexalumn:
      1 Hombre
      2 Mujer

-----

Group Number: 1

*** Factor loadings ***
```

Table 2: AVECR INDECES SUMMARIZED BY MODEL

Model	AVE*	CR	\sqrt{AVE}	INAT.	HYPER.	STUD.	FAM.	TEACH.
Model 1: CFA								
INATTENTION	0.470	0.880	0.685	0.685				
HYPERACTIVITY	0.414	0.851	0.643	0.719	0.643			
Model 2: Corr. Uniq.								
INATTENTION	0.479	0.888	0.692	0.692				
HYPERACTIVITY	0.423	0.867	0.650	0.612	0.650			
Model 3: MTMM**								
INATTENTION	0.296	0.786	0.544	0.544				
HYPERACTIVITY	0.184	0.603	0.428	0.311	0.428			
STUDENTS	0.422	0.808	0.649			0.649		
FAMILY	0.443	0.824	0.665			0.581	0.665	
TEACHERS	0.530	0.869	0.728			0.381	0.467	0.728

*There was a lack of convergent validity on inattention and hyperactivity latent variables.

**MTMM model discriminate better the shared variance between the latent variables.

htmt for Model 2: Multitrait-multimethod model (MTMM)

Figure 11: htmt, ci(all) seed(425)

```
. htmt
file framew.ster saved

    *** Factor loadings ***

gfactors[18,5]

      latent:      latent:      latent:      latent:      latent:
INATENCIÓN      HIPERACT      ALUMNOS      FAMILIA      PROFESOR
observed:inatAlum1  .48583804      0      .54989506      0      0
observed:inatAlum2  .48083789      0      .54843821      0      0
observed:inatAlum3  .50151816      0      .48436449      0      0
observed:inatFam1   .68635685      0      0      .61681285      0
observed:inatFam2   .67590258      0      0      .61067413      0
observed:inatFam3   .64718869      0      0      .57518772      0
observed:inatProf1  .4548988      0      0      0      .81003854
observed:inatProf2  .4624416      0      0      0      .81758496
observed:inatProf3  .42513104      0      0      0      .8233302
observed:hiperAlum1  0      .23900886      .72578858      0      0
observed:hiperAlum2  0      .1346096      .85137047      0      0
observed:hiperAlum3  0      .13923064      .664116102      0      0
observed:hiperFam1   0      .44808687      0      .59908755      0
observed:hiperFam2   0      .21775011      0      .78633888      0
observed:hiperFam3   0      .21877495      0      .77048091      0
observed:hiperProf1  0      .66112265      0      0      .58853672
observed:hiperProf2  0      .67500901      0      0      .67245719
observed:hiperProf3  0      .60740726      0      0      .61621981

-----

    *** Heterotrait-Monotrait ratio of correlations (HTMT) ***

htmt[5,5]

INATENCIÓN      HIPERACT      ALUMNOS      FAMILIA      PROFESOR
INATENCIÓN      0      0      0      0      0
HIPERACT      .67701975      0      0      0      0
ALUMNOS      .77826298      .80510899      0      0      0
FAMILIA      .83988445      .84308738      .66152435      0      0
PROFESOR      .7645685      .79037317      .51350816      .60832417      0
```


htmt for Model 2: Multitrait-multimethod model (MTMM)

```

*** HTMT Confidence Intervals: all ***
(running calhtmtci on estimation sample)

Bootstrap replications (100)
-----|-----|-----|-----|-----
      1       2       3       4       5
.....|-----|-----|-----
      50
.....|-----|-----|-----
      100

Bootstrap results
                                     Number of obs   =       203
                                     Replications    =       100

```

	Observed Coef.	Bootstrap Std. Err.	z	P> z	Normal-based [95% Conf. Interval]	
r (INATENCION_HIPERACT)	.6770198	.0566021	11.96	0.000	.5660817	.7879578
r (INATENCION_ALUMNOS)	.778263	.040018	19.45	0.000	.6998291	.8566968
r (INATENCION_FAMILIA)	.8398845	.0341433	24.60	0.000	.7729648	.9068041
r (INATENCION_PROFESOR)	.7645685	.0369829	20.67	0.000	.6920833	.8370537
r (HIPERACT_ALUMNOS)	.805109	.045789	17.58	0.000	.7153643	.8948537
r (HIPERACT_FAMILIA)	.8430874	.0388354	21.71	0.000	.7669715	.9192033
r (HIPERACT_PROFESOR)	.7903732	.04313	18.33	0.000	.70584	.8749064
r (ALUMNOS_FAMILIA)	.6615244	.0518783	12.75	0.000	.5598447	.763204
r (ALUMNOS_PROFESOR)	.5135082	.0597051	8.60	0.000	.3964883	.6305281
r (FAMILIA_PROFESOR)	.6083242	.0660273	9.21	0.000	.478913	.7377353

```

Bootstrap results
                                     Number of obs   =       203
                                     Replications    =       100

```

	Observed Coef.	Bias	Bootstrap Std. Err.	[95% Conf. Interval]		
r (INATENCI~)	.67701975	.0060582	.05660209	.5660817	.7879578	(N)
				.5477567	.7767437	(F)
				.5428485	.762126	(BC)
r (INATENCI~)	.77826298	.0006222	.040018	.6998291	.8566968	(N)
				.7110114	.861037	(F)
				.7159721	.8612623	(BC)
r (INATENCI~)	.83988445	-.0004004	.03414329	.7729648	.9068041	(N)

Figure 12: htmt if sexalumn==2, ci(all) seed(425)

```
*** Heterotrait-Monotrait ratio of correlations (HTMT) ***
-----
GROUP analysis by if sexalumn==2
-----

htmt[5,5]
          INATENCION  HIPERACT  ALUMNOS  FAMILIA  PROFESOR
INATENCION           0          0          0          0          0
HIPERACT             .68066563      0          0          0          0
ALUMNOS             .72840092  .81355768      0          0          0
FAMILIA             .83669734  .77564584  .71834944      0          0
PROFESOR            .71554588  .73165642  .39907633  .41242113      0
```

Table 3: Heterotrait-Monotrait ratio of correlations (HTMT)

FACTOR	INAT.	HYPER.	STUD.	FAM.	TEACH.
INATTENTION					
HYPERACTIVITY	.677				
STUDENTS	.778	.805			
FAMILY	.839	.843	.661		
TEACHERS	.764	.790	.513	.608	

The ADHD-R IV scores are biased by the rating method.

Teacher ratings on ADHD symptoms are more discriminant and less biased than the other methods

avecr and htmt commands asses CFA construct validity

- Convergent validity can be assessed by AVE and CR.
- Discriminant validity can be assessed by AVE vs factor correlation parameters.
- HTMT ratio of correlations assesses discriminant validity.

avecr and htmt commands remarks

- Help files describes options and functionalities.
- Analysis are optimized with mata for matrix algebra operations.
- Confidence intervals are computed by bootstrap method.
- Weight and groups analysis are allowed.

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Thank you!

Assessing convergent and discriminant validity in the
ADHD-R IV rating scale:
User-written commands for Average Variance Extracted
(AVE), Composite Reliability (CR), and
Heterotrait-Monotrait ratio of correlations (HTMT).

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