

xhtaylor postestimation — Postestimation tools for xhtaylor

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Description

The following postestimation commands are available after `xhtaylor`:

Command	Description
<code>estat summarize</code>	summary statistics for the estimation sample
<code>estat vce</code>	variance–covariance matrix of the estimators (VCE)
<code>estimates</code>	cataloging estimation results
<code>forecast</code>	dynamic forecasts and simulations
<code>hausman</code>	Hausman's specification test
<code>lincom</code>	point estimates, standard errors, testing, and inference for linear combinations of coefficients
<code>margins</code>	marginal means, predictive margins, marginal effects, and average marginal effects
<code>marginsplot</code>	graph the results from margins (profile plots, interaction plots, etc.)
<code>nlcom</code>	point estimates, standard errors, testing, and inference for nonlinear combinations of coefficients
<code>predict</code>	predictions, residuals, influence statistics, and other diagnostic measures
<code>predictnl</code>	point estimates, standard errors, testing, and inference for generalized predictions
<code>test</code>	Wald tests of simple and composite linear hypotheses
<code>testnl</code>	Wald tests of nonlinear hypotheses

Syntax for predict

`predict [type] newvar [if] [in] [, statistic]`

statistic	Description
<i>Main</i>	
<code>xb</code>	$\mathbf{X}_{it}\hat{\beta} + \mathbf{Z}_i\hat{\delta}$, fitted values; the default
<code>stdp</code>	standard error of the fitted values
<code>ue</code>	$\hat{\mu}_i + \hat{\epsilon}_{it}$, the combined residual
<code>* xbu</code>	$\mathbf{X}_{it}\hat{\beta} + \mathbf{Z}_i\hat{\delta} + \hat{\mu}_i$, prediction including effect
<code>* u</code>	$\hat{\mu}_i$, the random-error component
<code>* e</code>	$\hat{\epsilon}_{it}$, prediction of the idiosyncratic error component

Unstarred statistics are available both in and out of sample; type `predict ... if e(sample) ...` if wanted only for the estimation sample. Starred statistics are calculated only for the estimation sample, even when `if e(sample)` is not specified.

Menu for predict

Statistics > Postestimation > Predictions, residuals, etc.

Options for predict

Main

xb, the default, calculates the linear prediction, that is, $\mathbf{X}_{it}\hat{\beta} + \mathbf{Z}_{it}\hat{\delta}$.

stdp calculates the standard error of the linear prediction.

ue calculates the prediction of $\hat{\mu}_i + \hat{\epsilon}_{it}$.

xbu calculates the prediction of $\mathbf{X}_{it}\hat{\beta} + \mathbf{Z}_{it}\hat{\delta} + \hat{\nu}_i$, the prediction including the random effect.

u calculates the prediction of $\hat{\mu}_i$, the estimated random effect.

e calculates the prediction of $\hat{\epsilon}_{it}$.

Remarks and examples

stata.com

▷ Example 1

Continuing with example 1 of [XT] **xhtaylor**, we use **hausman** to test whether we should use the Hausman–Taylor estimator instead of the fixed-effects estimator. We follow the empirical illustration in Baltagi (2013, sec. 7.5), but we fit the model without including the **exp2** and **wks** variables.

We first fit the model with **xhtaylor** and then with **xtreg, fe**:

```
. use http://www.stata-press.com/data/r13/psidextract
. xhtaylor lwage occ south smsa ind exp ms union fem blk ed,
> endog(exp ms union ed)
(output omitted)
. estimates store eq_ht
. xtreg lwage occ south smsa ind exp ms union fem blk ed, fe
(output omitted)
. estimates store eq_fe
```

We can now use **hausman** to compare the two estimators, but we need to specify the **df()** to indicate the degrees of freedom for the χ^2 statistic, which would be determined by the overidentifying restrictions in the Hausman–Taylor estimation. In this case, there are three degrees of freedom because there are four time-varying exogenous variables (**occ**, **south**, **smsa**, **ind**) that can be used as instruments for only one time-invariant endogenous variable (**ed**).

```
. hausman eq_fe eq_ht, df(3)
```

	Coefficients		(b-B) Difference	sqrt(diag(V_b-V_B)) S.E.
	(b) eq_fe	(B) eq_ht		
occ	-.0239323	-.0231694	-.0007629	.0002395
south	-.0037282	.0062699	-.0099982	.0124188
smsa	-.0436251	-.0433518	-.0002733	.0042296
ind	.021184	.0156376	.0055465	.0025159
exp	.0965738	.0964748	.0000991	.000063
ms	-.0299908	-.0300703	.0000795	.000321
union	.0349156	.0348494	.0000662	.0006336

b = consistent under Ho and Ha; obtained from xtreg

B = inconsistent under Ha, efficient under Ho; obtained from xhtaylor

Test: Ho: difference in coefficients not systematic

$$\begin{aligned} \text{chi2}(3) &= (\mathbf{b}-\mathbf{B})'[(V_b-V_B)^{-1}](\mathbf{b}-\mathbf{B}) \\ &= 5.22 \\ \text{Prob>chi2} &= 0.1567 \\ (V_b-V_B) &\text{ is not positive definite} \end{aligned}$$

The *p*-value for the test provides evidence favoring the null hypothesis; therefore, in this case, the Hausman–Taylor estimation is adequate.

Notice that the variance–covariance matrix for the difference ($\mathbf{b}-\mathbf{B}$) is not positive definite. As Greene (2012, 237) points out, this kind of result is due to finite-sample conditions. He also states that Hausman considers it preferable to take the test statistic as zero and, therefore, not to reject the null hypothesis.



▷ Example 2

We now want to determine whether the Amemiya–McCurdy estimator produces significant efficiency gains with respect to the Hausman–Taylor estimator. We refit the two models, and we use the Hausman test again:

```
. use http://www.stata-press.com/data/r13/psidextract
. xhtaylor lwage occ south smsa ind exp ms union fem blk ed,
> endog(exp ms union ed)
(output omitted)

. estimates store eq_ht

. xhtaylor lwage occ south smsa ind exp ms union fem blk ed,
> endog(exp ms union ed) amacurdy
(output omitted)

. estimates store eq_am
```

```
. hausman eq_ht eq_am
```

	Coefficients		(b-B) Difference	sqrt(diag(V_b-V_B)) S.E.
	(b) eq_ht	(B) eq_am		
occ	-.0231694	-.023354	.0001846	.0006485
south	.0062699	.0060857	.0001842	.0010641
smsa	-.0433518	-.0434638	.0001121	.0006297
ind	.0156376	.0156602	-.0000226	.000492
exp	.0964748	.0962147	.00026	.0000694
ms	-.0300703	-.0303139	.0002436	.0006735
union	.0348494	.0345742	.0002752	.0006471
fem	-.1277756	-.1287857	.0010101	.0036717
blk	-.2911574	-.291645	.0004876	.0082831
ed	.1390257	.1380699	.0009558	.005436

b = consistent under H_0 and H_A ; obtained from **xhtaylor**

B = inconsistent under H_A , efficient under H_0 ; obtained from **xhtaylor**

Test: H_0 : difference in coefficients not systematic

$$\begin{aligned} \text{chi2}(10) &= (b-B)'[(V_b-V_B)^{-1}](b-B) \\ &= 14.42 \\ \text{Prob}>\text{chi2} &= 0.1548 \end{aligned}$$

The result indicates that we should use the more efficient estimation produced by the Amemiya–McCurdy estimator.



References

- Baltagi, B. H. 2013. *Econometric Analysis of Panel Data*. 5th ed. Chichester, UK: Wiley.
 Greene, W. H. 2012. *Econometric Analysis*. 7th ed. Upper Saddle River, NJ: Prentice Hall.

Also see

[XT] **xhtaylor** — Hausman–Taylor estimator for error-components models

[U] **20 Estimation and postestimation commands**