

xcorr — Cross-correlogram for bivariate time series

[Syntax](#)[Remarks and examples](#)[Menu](#)[Methods and formulas](#)[Description](#)[References](#)[Options](#)[Also see](#)

Syntax

```
xcorr varname1 varname2 [if] [in] [, options]
```

options

Description

Main

generate (<i>newvar</i>)	create <i>newvar</i> containing cross-correlation values
table	display a table instead of graphical output
noplot	do not include the character-based plot in tabular output
lags (#)	include # lags and leads in graph

Plot

base (#)	value to drop to; default is 0
marker_options	change look of markers (color, size, etc.)
marker_label_options	add marker labels; change look or position
line_options	change look of dropped lines

Add plots

addplot (<i>plot</i>)	add other plots to the generated graph
---	--

Y axis, X axis, Titles, Legend, Overall

twoway_options	any options other than by() documented in [G-3] twoway_options
--------------------------------	--

You must `tsset` your data before using `xcorr`; see [TS] [tsset](#).

*varname*₁ and *varname*₂ may contain time-series operators; see [U] [11.4.4 Time-series varlists](#).

Menu

Statistics > Time series > Graphs > Cross-correlogram for bivariate time series

Description

`xcorr` plots the sample cross-correlation function.

Options

Main

`generate`(*newvar*) specifies a new variable to contain the cross-correlation values.

`table` requests that the results be presented as a table rather than the default graph.

`noplot` requests that the table not include the character-based plot of the cross-correlations.

`lags(#)` indicates the number of lags and leads to include in the graph. The default is to use $\min(\lfloor n/2 \rfloor - 2, 20)$.

Plot

`base(#)` specifies the value from which the lines should extend. The default is `base(0)`.

`marker_options`, `marker_label_options`, and `line_options` affect the rendition of the plotted cross-correlations.

`marker_options` specify the look of markers. This look includes the marker symbol, the marker size, and its color and outline; see [G-3] [marker_options](#).

`marker_label_options` specify if and how the markers are to be labeled; see [G-3] [marker_label_options](#).

`line_options` specify the look of the dropped lines, including pattern, width, and color; see [G-3] [line_options](#).

Add plots

`addplot(plot)` provides a way to add other plots to the generated graph; see [G-3] [addplot_option](#).

Y axis, X axis, Titles, Legend, Overall

`twoway_options` are any of the options documented in [G-3] [twoway_options](#), excluding `by()`. These include options for titling the graph (see [G-3] [title_options](#)) and for saving the graph to disk (see [G-3] [saving_option](#)).

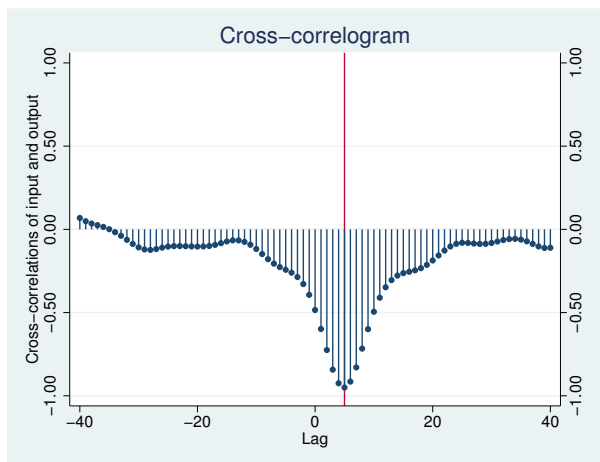
Remarks and examples

[stata.com](http://www.stata.com)

► Example 1

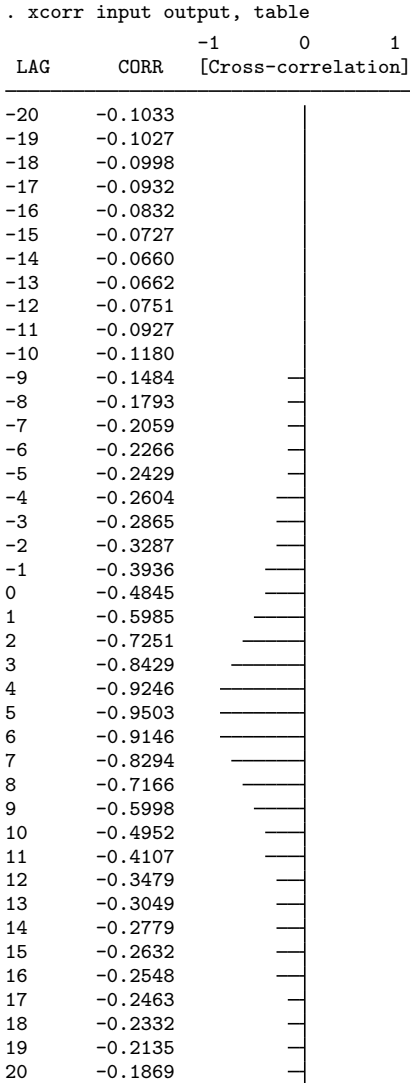
We have a bivariate time series (Box, Jenkins, and Reinsel 2008, Series J) on the input and output of a gas furnace, where 296 paired observations on the input (gas rate) and output (% CO₂) were recorded every 9 seconds. The cross-correlation function is given by

```
. use http://www.stata-press.com/data/r13/furnace
(TIMESLAB: Gas furnace)
. xcorr input output, xline(5) lags(40)
```



We included a vertical line at lag 5, because there is a well-defined peak at this value. This peak indicates that the output lags the input by five periods. Further, the fact that the correlations are negative indicates that as input (coded gas rate) is increased, output (% CO₂) decreases.

We may obtain the table of autocorrelations and the character-based plot of the cross-correlations (analogous to the univariate time-series command `corrgram`) by specifying the `table` option.



Once again, the well-defined peak is apparent in the plot.

Methods and formulas

The cross-covariance function of lag k for time series x_1 and x_2 is given by

$$\text{Cov}\{x_1(t), x_2(t+k)\} = R_{12}(k)$$

This function is not symmetric about lag zero; that is,

$$R_{12}(k) \neq R_{12}(-k)$$

We define the cross-correlation function as

$$\rho_{ij}(k) = \text{Corr}\{x_i(t), x_j(t+k)\} = \frac{R_{ij}(k)}{\sqrt{R_{ii}(0)R_{jj}(0)}}$$

where ρ_{11} and ρ_{22} are the autocorrelation functions for x_1 and x_2 , respectively. The sequence $\rho_{12}(k)$ is the cross-correlation function and is drawn for lags $k \in (-Q, -Q+1, \dots, -1, 0, 1, \dots, Q-1, Q)$.

If $\rho_{12}(k) = 0$ for all lags, x_1 and x_2 are not cross-correlated.

References

- Box, G. E. P., G. M. Jenkins, and G. C. Reinsel. 2008. *Time Series Analysis: Forecasting and Control*. 4th ed. Hoboken, NJ: Wiley.
- Hamilton, J. D. 1994. *Time Series Analysis*. Princeton: Princeton University Press.
- Newton, H. J. 1988. *TIMESLAB: A Time Series Analysis Laboratory*. Belmont, CA: Wadsworth.

Also see

- [TS] **tsset** — Declare data to be time-series data
- [TS] **corrgram** — Tabulate and graph autocorrelations
- [TS] **pergram** — Periodogram