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asroprobit — Alternative-specific rank-ordered probit regression

Svntax Menu Description Options Remarks and examples Stored results Methods and formulas Reference

Also see

display_options

Syntax

```
asroprobit depvar [indepvars] [if] [in] [weight], case(varname)
       <u>alt</u>ernatives(varname) | options |
 options
                                  Description
Model
*case(varname)
                                  use varname to identify cases
*alternatives(varname)
                                  use varname to identify the alternatives available for each case
 casevars(varlist)
                                  case-specific variables
 constraints(constraints)
                                  apply specified linear constraints
 collinear
                                  keep collinear variables
Model 2
 correlation(correlation)
                                  correlation structure of the latent-variable errors
 stddev(stddev)
                                  variance structure of the latent-variable errors
                                  use the structural covariance parameterization; default is the
 structural
                                    differenced covariance parameterization
 factor(#)
                                  use the factor covariance structure with dimension #
 noconstant
                                  suppress the alternative-specific constant terms
                                  alternative used for normalizing location
 basealternative (\#|lbl|str)
 scalealternative (# | lbl | str) alternative used for normalizing scale
 altwise
                                  use alternativewise deletion instead of casewise deletion
                                  interpret the lowest rank in depvar as the best; the default is the
 reverse
                                    highest rank is the best
SE/Robust
 vce(vcetype)
                                  vcetype may be oim, robust, cluster clustvar, opg,
                                    bootstrap, or jackknife
Reporting
                                  set confidence level: default is level(95)
 level(#)
                                  do not transform variance-covariance estimates to the standard
 notransform
                                    deviation and correlation metric
                                  do not display constraints
 nocnsreport
                                  control column formats and line width
```

antithetics use antithetic draws nopivot do not use integration interval pivoting initbhhh(#) use the BHHH optimization algorithm for the first # i favor(speed space) favor speed or space when generating integration point	
Maximization maximize_options control the maximization process	
<u>coeflegend</u> display legend instead of statistics	
correlation Description	
<u>uns</u> tructured one correlation parameter for each pair of alternatives;	
with the basealternative() are zero; the default exchangeable one correlation parameter common to all pairs of altern correlations with the basealternative() are zero	natives;
<u>ind</u> ependent constrain all correlation parameters to zero	
<pre>pattern matname</pre>	
<u>fixed</u> matname user-specified matrix identifying the fixed and free comparameters	relation
stddev Description	
heteroskedastic estimate standard deviation for each alternative; standard for basealternative() and scalealternative(
<u>hom</u> oskedastic all standard deviations are one	
pattern matname user-specified matrix identifying the standard deviation	pattern
<u>fixed</u> matname user-specified matrix identifying the fixed and free star deviations	ndard
seqtype Description	
hammersley Hammersley point set	
<u>hal</u> ton Halton point set	
random uniform pseudorandom point set	

^{*}case(varname) and alternatives(varname) are required.

bootstrap, by, jackknife, statsby, and xi are allowed; see [U] 11.1.10 Prefix commands.

Weights are not allowed with the bootstrap prefix; see [R] bootstrap.

fweights, iweights, and pweights are allowed; see [U] 11.1.6 weight.

coeflegend does not appear in the dialog box.

See [U] 20 Estimation and postestimation commands for more capabilities of estimation commands.

Menu

Statistics > Ordinal outcomes > Rank-ordered probit regression

Description

asroprobit fits rank-ordered probit (ROP) models by using maximum simulated likelihood (MSL). The model allows you to relax the independence of irrelevant alternatives (IIA) property that is characteristic of the rank-ordered logistic model by estimating the variance-covariance parameters of the latent-variable errors. Each unique identifier in the case() variable has multiple alternatives identified in the alternatives() variable, and depvar contains the ranked alternatives made by each case. Only the order in the ranks, not the magnitude of their differences, is assumed to be relevant. By default, the largest rank indicates the more desirable alternative. Use the reverse option if the lowest rank should be interpreted as the more desirable alternative. Tied ranks are allowed, but they increase the computation time because all permutations of the tied ranks are used in computing the likelihood for each case. asroprobit allows two types of independent variables: alternative-specific variables, in which the values of each variable vary with each alternative, and case-specific variables, which vary with each case.

The estimation technique of asroprobit is nearly identical to that of asmprobit, and the two routines share many of the same options; see [R] asmprobit.

Options

Model

case (varname) specifies the variable that identifies each case. This variable identifies the individuals or entities making a choice. case() is required.

alternatives (varname) specifies the variable that identifies the alternatives available for each case. The number of alternatives can vary with each case; the maximum number of alternatives is 20. alternatives() is required.

casevars(varlist) specifies the case-specific variables that are constant for each case(). If there are a maximum of J alternatives, there will be J-1 sets of coefficients associated with casevars ().

constraints(constraints), collinear; see [R] estimation options.

Model 2

correlation(correlation) specifies the correlation structure of the latent-variable errors.

correlation (unstructured) is the most general and has J(J-3)/2+1 unique correlation parameters. This is the default unless stddev() or structural are specified.

correlation(exchangeable) provides for one correlation coefficient common to all latent variables, except the latent variable associated with the basealternative().

correlation(independent) assumes that all correlations are zero.

correlation(pattern matname) and correlation(fixed matname) give you more flexibility in defining the correlation structure. See Variance structures in [R] asmprobit for more information.

stddev(stddev) specifies the variance structure of the latent-variable errors.

stddev(heteroskedastic) is the most general and has J-2 estimable parameters. The standard deviations of the latent-variable errors for the alternatives specified in basealternative() and scalealternative() are fixed to one.

stddev(homoskedastic) constrains all the standard deviations to equal one.

asroprobit — Alternative-specific rank-ordered probit regression

stddev(pattern matname) and stddev(fixed matname) give you added flexibility in defining the standard deviation parameters. See Variance structures in [R] asmprobit for more information.

structural requests the $J \times J$ structural covariance parameterization instead of the default $J-1 \times J-1$ differenced covariance parameterization (the covariance of the latent errors differenced with that of the base alternative). The differenced covariance parameterization will achieve the same maximum simulated likelihood regardless of the choice of basealternative() and scalealternative(). On the other hand, the structural covariance parameterization imposes more normalizations that may bound the model away from its maximum likelihood and thus prevent convergence with some datasets or choices of basealternative() and scalealternative().

factor (#) requests that the factor covariance structure of dimension # be used. The factor() option can be used with the structural option but cannot be used with stddev() or correlation(). A # \times J (or # \times J - 1) matrix, C, is used to factor the covariance matrix as $I + \mathbf{C}'\mathbf{C}$, where I is the identity matrix of dimension J (or J-1). The column dimension of C depends on whether the covariance is structural or differenced. The row dimension of C, #, must be less than or equal to floor ((J(J-1)/2-1)/(J-2)), because there are only J(J-1)/2-1 identifiable variance-covariance parameters. This covariance parameterization may be useful for reducing the number of covariance parameters that need to be estimated.

If the covariance is structural, the column of C corresponding to the base alternative contains zeros. The column corresponding to the scale alternative has a one in the first row and zeros elsewhere. If the covariance is differenced, the column corresponding to the scale alternative (differenced with the base) has a one in the first row and zeros elsewhere.

no constant suppresses the J-1 alternative-specific constant terms.

basealternative (# |lbl| str) specifies the alternative used to normalize the latent-variable location (also referred to as the level of utility). The base alternative may be specified as a number, label, or string. The standard deviation for the latent-variable error associated with the base alternative is fixed to one, and its correlations with all other latent-variable errors are set to zero. The default is the first alternative when sorted. If a fixed or pattern matrix is given in the stddev() and correlation() options, the basealternative() will be implied by the fixed standard deviations and correlations in the matrix specifications. basealternative() cannot be equal to scalealternative().

scalealternative(#|lbl|str) specifies the alternative used to normalize the latent-variable scale (also referred to as the scale of utility). The scale alternative may be specified as a number, label, or string. The default is to use the second alternative when sorted. If a fixed or pattern matrix is given in the stddev() option, the scalealternative() will be implied by the fixed standard deviations in the matrix specification. scalealternative() cannot be equal to basealternative().

If a fixed or pattern matrix is given for the stddev() option, the base alternative and scale alternative are implied by the standard deviations and correlations in the matrix specifications, and they need not be specified in the basealternative() and scalealternative() options.

altwise specifies that alternativewise deletion be used when marking out observations due to missing values in your variables. The default is to use casewise deletion; that is, the entire group of observations making up a case is deleted if any missing values are encountered. This option does not apply to observations that are marked out by the if or in qualifier or the by prefix.

reverse directs asroprobit to interpret the rank in depvar that is smallest in value as the preferred alternative. By default, the rank that is largest in value is the favored alternative.

SE/Robust

vce(vcetype) specifies the type of standard error reported, which includes types that are derived from asymptotic theory (oim, opg), that are robust to some kinds of misspecification (robust), that allow for intragroup correlation (cluster clustvar), and that use bootstrap or jackknife methods (bootstrap, jackknife); see [R] vce_option.

If specifying vce(bootstrap) or vce(jackknife), you must also specify basealternative() and scalealternative().

Reporting

level(#); see [R] estimation options.

notransform prevents retransforming the Cholesky-factored variance-covariance estimates to the correlation and standard deviation metric.

This option has no effect if structural is not specified because the default differenced variance—covariance estimates have no interesting interpretation as correlations and standard deviations. notransform also has no effect if the correlation() and stddev() options are specified with anything other than their default values. Here it is generally not possible to factor the variance—covariance matrix, so optimization is already performed using the standard deviation and correlation representations.

nocnsreport; see [R] estimation options.

display_options: cformat(%fmt), pformat(%fmt), sformat(%fmt), and nolstretch; see [R] estimation options.

Integration

intmethod(hammersley | halton | random) specifies the method of generating the point sets used in
the quasi-Monte Carlo integration of the multivariate normal density. intmethod(hammersley),
the default, uses the Hammersley sequence; intmethod(halton) uses the Halton sequence; and
intmethod(random) uses a sequence of uniform random numbers.

intpoints(#) specifies the number of points to use in the quasi-Monte Carlo integration. If this option is not specified, the number of points is $50 \times J$ if intmethod(hammersley) or intmethod(halton) is used and $100 \times J$ if intmethod(random) is used. Larger values of intpoints() provide better approximations of the log likelihood, but at the cost of added computation time.

intburn(#) specifies where in the Hammersley or Halton sequence to start, which helps reduce the correlation between the sequences of each dimension. The default is 0. This option may not be specified with intmethod(random).

intseed(code | #) specifies the seed to use for generating the uniform pseudorandom sequence. This
 option may be specified only with intmethod(random). code refers to a string that records the
 state of the random-number generator runiform(); see [R] set seed. An integer value # may
 be used also. The default is to use the current seed value from Stata's uniform random-number
 generator, which can be obtained from c(seed).

antithetics specifies that antithetic draws be used. The antithetic draw for the J-1 vector uniform-random variables, \mathbf{x} , is $1-\mathbf{x}$.

nopivot turns off integration interval pivoting. By default, asroprobit will pivot the wider intervals of integration to the interior of the multivariate integration. This improves the accuracy of the quadrature estimate. However, discontinuities may result in the computation of numerical second-order derivatives using finite differencing (for the Newton-Raphson optimize technique, tech(nr))

when few simulation points are used, resulting in a non-positive-definite Hessian. asroprobit uses the Broyden-Fletcher-Goldfarb-Shanno optimization algorithm, by default, which does not require computing the Hessian numerically using finite differencing.

initbhhh(#) specifies that the Berndt-Hall-Hall-Hausman (BHHH) algorithm be used for the initial # optimization steps. This option is the only way to use the BHHH algorithm along with other optimization techniques. The algorithm switching feature of ml's technique() option cannot include bhhh.

favor(speed | space) instructs asroprobit to favor either speed or space when generating the integration points. favor(speed) is the default. When favoring speed, the integration points are generated once and stored in memory, thus increasing the speed of evaluating the likelihood. This speed increase can be seen when there are many cases or when the user specifies a large number of integration points, intpoints(#). When favoring space, the integration points are generated repeatedly with each likelihood evaluation.

For unbalanced data, where the number of alternatives varies with each case, the estimates computed using intmethod(random) will vary slightly between favor(speed) and favor(space). This is because the uniform sequences will not be identical, even when initiating the sequences using the same uniform seed, intseed($code \mid \#$). For favor(speed), ncase blocks of intpoints(#) × J-2 uniform points are generated, where J is the maximum number of alternatives. For favor(space), the column dimension of the matrices of points varies with the number of alternatives that each case has.

Maximization

maximize_options: difficult, technique(algorithm_spec), iterate(#), [no]log, trace,
 gradient, showstep, hessian, showtolerance, tolerance(#), ltolerance(#),
 nrtolerance(#), nonrtolerance, and from(init_specs); see [R] maximize.

The following options may be particularly useful in obtaining convergence with asroprobit: difficult, technique(algorithm_spec), nrtolerance(#), nonrtolerance, and from(init_specs).

If technique() contains more than one algorithm specification, bhhh cannot be one of them. To use the BHHH algorithm with another algorithm, use the initbhhh() option and specify the other algorithm in technique().

Setting the optimization type to technique(bhhh) resets the default vcetype to vce(opg).

When specifying from(matname [, copy]), the values in matname associated with the latent-variable error variances must be for the log-transformed standard deviations and inverse-hyperbolic tangent-transformed correlations. This option makes using the coefficient vector from a previously fitted asroprobit model convenient as a starting point.

The following option is available with asroprobit but is not shown in the dialog box: coeflegend; see [R] estimation options.

Remarks and examples

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The mathematical description and numerical computations of the rank-ordered probit model are similar to that of the multinomial probit model. The only difference is that the dependent variable of the rank-ordered probit model is ordinal, showing preferences among alternatives, as opposed to the binary dependent variable of the multinomial probit model, indicating a chosen alternative. We will describe how the likelihood of a ranking is computed using the latent-variable framework here,

but for details of the latent-variable parameterization of these models and the method of maximum simulated likelihood, see [R] asmprobit.

Consider the latent-variable parameterization of a J alternative rank-ordered probit model. Using the notation from asmprobit, we have variables η_{ij} , $j = 1, \dots, J$, such that

$$\eta_{ij} = \mathbf{x}_{ij}\boldsymbol{\beta} + \mathbf{z}_i\boldsymbol{\alpha}_j + \xi_{ij}$$

Here the \mathbf{x}_{ij} are the alternative-specific independent variables, the \mathbf{z}_i are the case-specific variables, and the ξ_{ij} are multivariate normal with mean zero and covariance Ω . Without loss of generality, assume that individual i ranks the alternatives in order of the alternative indices $j = 1, 2, \dots, J$, so the alternative J is the preferred alternative and alternative 1 is the least preferred alternative. The probability of this ranking given β and α_i is the probability that $\eta_{i,J-1} - \eta_{i,J} \leq 0$ and $\eta_{i,J-2} - \eta_{i,J-1} \leq 0, \ldots, \text{ and } \eta_{i,1} - \eta_{i,2} \leq 0.$

Example 1

Long and Freese (2014, 477) provide an example of a rank-ordered logit model with alternativespecific variables. We use this dataset to demonstrate asroprobit. The data come from the Wisconsin Longitudinal Study. This is a study of 1957 Wisconsin high school graduates that were asked to rate their relative preference of four job characteristics: esteem, a job other people regard highly; variety, a job that is not repetitive and allows you to do a variety of things; autonomy, a job where your supervisor does not check on you frequently; and security, a job with a low risk of being laid off. The case-specific covariates are gender, female, an indicator variable for females, and score, a score on a general mental ability test measured in standard deviations. The alternative-specific variables are high and low, which indicate whether the respondent's current job is high or low in esteem, variety, autonomy, or security. This approach provides three states for a respondent's current job status for each alternative, (1,0), (0,1), and (0,0), using the notation (high, low). The score (1,1)is omitted because the respondent's current job cannot be considered both high and low in one of the job characteristics. The (0,0) score would indicate that the respondent's current job does not rank high or low (is neutral) in a job characteristic. The alternatives are ranked such that 1 is the preferred alternative and 4 is the least preferred.

- . use http://www.stata-press.com/data/r13/wlsrank (1992 Wisconsin Longitudinal Study data on job values)
- . list id jobchar rank female score high low in 1/12, sepby(id)

	id	jobchar	rank	female	score	high	low
1.	1	security	1	1	.0492111	0	0
2.	1	autonomy	4	1	.0492111	0	0
3.	1	variety	1	1	.0492111	0	0
4.	1	esteem	3	1	.0492111	0	0
5.	5	security	2	1	2.115012	1	0
6.	5	variety	2	1	2.115012	1	0
7.	5	esteem	2	1	2.115012	1	0
8.	5	${\tt autonomy}$	1	1	2.115012	0	0
9.	7	autonomy	1	0	1.701852	1	0
10.	7	variety	1	0	1.701852	0	1
11.	7	esteem	4	0	1.701852	0	0
12.	7	security	1	0	1.701852	0	0

The three cases listed have tied ranks. asroprobit will allow ties, but at the cost of increased computation time. To evaluate the likelihood of the first observation, asroprobit must compute

$$Pr(esteem = 3, variety = 1, autonomy = 4, security = 2) + Pr(esteem = 3, variety = 2, autonomy = 4, security = 1)$$

and both of these probabilities are estimated using simulation. In fact, the full dataset contains 7,237 tied ranks and asroprobit takes a great deal of time to estimate the parameters. For exposition, we estimate the rank-ordered probit model by using the cases without ties. These cases are marked in the variable noties.

The model of job preference is

$$\eta_{ij} = \beta_1 \mathtt{high}_{ij} + \beta_2 \mathtt{low}_{ij} \ + \ \alpha_{1j} \mathtt{female}_i + \alpha_{2j} \mathtt{score}_i + \alpha_{0j} + \xi_{ij}$$

for j=1,2,3,4. The base alternative will be esteem, so $\alpha_{01}=\alpha_{11}=\alpha_{21}=0$.

```
. asroprobit rank high low if noties, case(id) alternatives(jobchar)
> casevars(female score) reverse
note: variable high has 107 cases that are not alternative-specific: there is
       no within-case variability
note: variable low has 193 cases that are not alternative-specific: there is
       no within-case variability
Iteration 0:
                log simulated-likelihood = -1103.2768
                log simulated-likelihood = -1089.3361
Iteration 1:
 (output omitted)
Alternative-specific rank-ordered probit
                                                  Number of obs
                                                                              1660
Case variable: id
                                                  Number of cases
                                                                                415
Alternative variable: jobchar
                                                                                  4
                                                  Alts per case: min =
                                                                                4.0
                                                                  avg =
                                                                                  4
                                                                  max =
Integration sequence:
                            Hammersley
Integration points:
                                    200
                                                     Wald chi2(8)
                                                                             34.01
Log simulated-likelihood = -1080.2206
                                                     Prob > chi2
                                                                            0.0000
                             Std. Err.
                                                   P>|z|
                                                              [95% Conf. Interval]
        rank
                     Coef.
                                             z
jobchar
        high
                  .3741029
                              .0925685
                                           4.04
                                                   0.000
                                                               .192672
                                                                          .5555337
                 -.0697443
         low
                              .1093317
                                          -0.64
                                                   0.524
                                                             -.2840305
                                                                          .1445419
esteem
                 (base alternative)
variety
      female
                  .1351487
                              .1843088
                                           0.73
                                                   0.463
                                                            -.2260899
                                                                          .4963873
                  .1405482
       score
                              .0977567
                                           1.44
                                                   0.151
                                                             -.0510515
                                                                          .3321479
                  1.735016
                                                                          2.019474
                              .1451343
                                          11.95
                                                   0.000
                                                             1.450558
       _cons
autonomy
      female
                  .2561828
                              .1679565
                                           1.53
                                                   0.127
                                                             -.0730059
                                                                          .5853715
       score
                  .1898853
                              .0875668
                                           2.17
                                                   0.030
                                                              .0182575
                                                                            .361513
       _cons
                  .7009797
                              .1227336
                                           5.71
                                                   0.000
                                                              .4604262
                                                                          .9415333
security
      female
                   .232622
                              .2057547
                                           1.13
                                                   0.258
                                                            -.1706497
                                                                          .6358938
                 -.1780076
                              .1102115
                                          -1.62
                                                   0.106
                                                             -.3940181
                                                                            .038003
       score
                                           8.40
                                                   0.000
       _cons
                  1.343766
                              .1600059
                                                             1.030161
                                                                          1.657372
     /ln12_2
                  .1805151
                              .0757296
                                           2.38
                                                   0.017
                                                              .0320878
                                                                          .3289424
     /ln13_3
                  .4843091
                              .0793343
                                           6.10
                                                   0.000
                                                              .3288168
                                                                          .6398014
                                                                          .8353957
       /12_1
                  .6062037
                              .1169368
                                           5.18
                                                   0.000
                                                              .3770117
       /13_1
                  .4509217
                              .1431183
                                           3.15
                                                   0.002
                                                              .1704151
                                                                          .7314283
       /13_2
                  .2289447
                              .1226081
                                           1.87
                                                   0.062
                                                            -.0113627
                                                                          .4692521
```

We specified the reverse option because a rank of 1 is the highest preference. The variance-covariance estimates are for the Cholesky-factored variance-covariance for the latent-variable errors differenced with that of alternative esteem. We can view the estimated correlations by entering

⁽jobchar=esteem is the alternative normalizing location)

⁽jobchar=variety is the alternative normalizing scale)

. estat correlation

	variety	autonomy	security
variety autonomy security	1.0000 0.4516 0.2652	1.0000 0.2399	1.0000

Note: correlations are for alternatives differenced with esteem

and typing

. estat covariance

	variety	autonomy	security
variety autonomy security	2 .8573015 .6376996	1.80229 .5475882	2.890048

Note: covariances are for alternatives differenced with esteem

gives the (co)variances. [R] mprobit explains that if the latent-variable errors are independent, then the correlations in the differenced parameterization should be ~ 0.5 and the variances should be ~ 2.0 , which seems to be the case here.

The coefficient estimates for the probit models can be difficult to interpret because of the normalization for location and scale. The regression estimates for the case-specific variables will be relative to the base alternative and the regression estimates for both the case-specific and alternativespecific variables are affected by the scale normalization. The more pronounced the heteroskedasticity and correlations, the more pronounced the resulting estimate differences when choosing alternatives to normalize for location and scale. However, when using the differenced covariance structure, you will obtain the same model likelihood regardless of which alternatives you choose as the base and scale alternatives. For model interpretation, you can examine the estimated probabilities and marginal effects by using postestimation routines predict and estat mfx. See [R] asroprobit postestimation.

Stored results

asroprobit stores the following in e():

```
Scalars
    e(N)
                                number of observations
                                number of cases
    e(N_case)
    e(N_ties)
                                number of ties
    e(k)
                                number of parameters
    e(k_alt)
                                number of alternatives
    e(k_indvars)
                                number of alternative-specific variables
                                number of case-specific variables
    e(k_casevars)
                                number of variance estimates
    e(k_sigma)
    e(k_rho)
                                number of correlation estimates
    e(k_eq)
                                number of equations in e(b)
    e(k_eq_model)
                                number of equations in overall model test
    e(df_m)
                                model degrees of freedom
    e(11)
                                log simulated-likelihood
    e(N_clust)
                                number of clusters
    e(const)
                                constant indicator
                                base alternative index
    e(i_base)
    e(i_scale)
                                scale alternative index
    e(mc_points)
                                number of Monte Carlo replications
    e(mc_burn)
                                starting sequence index
    e(mc_antithetics)
                                antithetics indicator
                                1 if minimum rank is best, 0 if maximum rank is best
    e(reverse)
    e(chi2)
                                \chi^2
                                significance
    e(p)
                                unstructured covariance indicator
    e(fullcov)
    e(structcov)
                                1 if structured covariance; 0 otherwise
                                Cholesky-factored covariance indicator
    e(cholesky)
    e(alt_min)
                                minimum number of alternatives
    e(alt_avg)
                                average number of alternatives
    e(alt_max)
                                maximum number of alternatives
                                rank of e(V)
    e(rank)
                                number of iterations
    e(ic)
    e(rc)
                                return code
    e(converged)
                                1 if converged, 0 otherwise
```

```
10
```

```
Macros
    e(cmd)
                                asroprobit
    e(cmdline)
                                command as typed
    e(depvar)
                                name of dependent variable
    e(indvars)
                                alternative-specific independent variable
    e(casevars)
                                case-specific variables
                                variable defining cases
    e(case)
                                variable defining alternatives
    e(altvar)
    e(alteqs)
                                alternative equation names
    e(alt#)
                                alternative labels
    e(wtype)
                                weight type
    e(wexp)
                                weight expression
    e(title)
                                title in estimation output
                                name of cluster variable
    e(clustvar)
    e(correlation)
                                correlation structure
    e(stddev)
                                variance structure
                                Wald, type of model \chi^2 test
    e(chi2type)
    e(vce)
                                vcetype specified in vce()
    e(vcetype)
                                title used to label Std. Err.
    e(opt)
                                type of optimization
    e(which)
                                max or min; whether optimizer is to perform maximization or minimization
    e(ml_method)
                                type of ml method
    e(mc_method)
                                Hammersley, Halton, or uniform random; technique to generate sequences
    e(mc_seed)
                                random-number generator seed
    e(user)
                                name of likelihood-evaluator program
    e(technique)
                                maximization technique
    e(datasignature)
                                the checksum
    e(datasignaturevars)
                                variables used in calculation of checksum
    e(properties)
    e(estat_cmd)
                                program used to implement estat
    e(mfx_dlg)
                                program used to implement estat mfx dialog
    e(predict)
                                program used to implement predict
    e(marginsnotok)
                                predictions disallowed by margins
Matrices
    e(b)
                                coefficient vector
    e(Cns)
                                constraints matrix
    e(stats)
                                alternative statistics
    e(stdpattern)
                                variance pattern
                                fixed and free standard deviations
    e(stdfixed)
    e(altvals)
                                alternative values
                                alternative frequencies
    e(altfreq)
    e(alt_casevars)
                                indicators for estimated case-specific coefficients—e(k_alt) ×e(k_casevars)
    e(corpattern)
                                correlation structure
    e(corfixed)
                                fixed and free correlations
    e(ilog)
                                iteration log (up to 20 iterations)
    e(gradient)
                                gradient vector
    e(V)
                                variance-covariance matrix of the estimators
    e(V_modelbased)
                                model-based variance
Functions
    e(sample)
                                marks estimation sample
```

Methods and formulas

From a computational perspective, asroprobit is similar to asmprobit and the two programs share many numerical tools. Therefore, we will use the notation from *Methods and formulas* in [R] asmprobit to discuss the rank-ordered probit probability model.

```
The latent variables for a J-alternative model are \eta_{ij} = \mathbf{x}_{ij}\boldsymbol{\beta} + \mathbf{z}_i\alpha_j + \xi_{ij}, for j = 1, ..., J, i = 1, ..., n, and \boldsymbol{\xi}_i' = (\xi_{i,1}, ..., \xi_{i,J}) \sim \text{MVN}(\mathbf{0}, \boldsymbol{\Omega}). Without loss of generality, assume for
```

the ith observation that an individual ranks the alternatives in the order of their numeric indices, $\mathbf{y}_i = (J, J-1, \dots, 1)$, so the first alternative is the most preferred and the last alternative is the least preferred. We can then difference the latent variables such that

$$v_{ik} = \eta_{i,k+1} - \eta_{i,k}$$

$$= (\mathbf{x}_{i,k+1} - \mathbf{x}_{i,k})\boldsymbol{\beta} + \mathbf{z}_i(\boldsymbol{\alpha}_{k+1} - \boldsymbol{\alpha}_k) + \xi_{i,k+1} - \xi_{ik}$$

$$= \boldsymbol{\delta}_{ik}\boldsymbol{\beta} + \mathbf{z}_i\boldsymbol{\gamma}_k + \epsilon_{ik}$$

for $k=1,\ldots,J-1$ and where $\epsilon_i=(\epsilon_{i1},\ldots,\epsilon_{i,J-1})\sim \text{MVN}(\mathbf{0},\mathbf{\Sigma}_{(i)})$. $\mathbf{\Sigma}$ is indexed by i because it is specific to the ranking of individual i. We denote the deterministic part of the model as $\lambda_{ik} = \delta_{ik}\beta + \mathbf{z}_i\gamma_k$, and the probability of this event is

$$\Pr(\mathbf{y}_i) = \Pr(v_{i1} \le 0, \dots, v_{i,J-1} \le 0)$$

$$= \Pr(\epsilon_{i1} \le -\lambda_{i1}, \dots, \epsilon_{i,J-1} \le -\lambda_{i,J-1})$$

$$= (2\pi)^{-(J-1)/2} |\mathbf{\Sigma}_{(i)}|^{-1/2} \int_{-\infty}^{-\lambda_{i1}} \dots \int_{-\infty}^{-\lambda_{i,J-1}} \exp\left(-\frac{1}{2}\mathbf{z}'\mathbf{\Sigma}_{(i)}^{-1}\mathbf{z}\right) d\mathbf{z}$$

The integral has the same form as (3) of Methods and formulas in [R] asmprobit. See [R] asmprobit for details on evaluating this integral numerically by using simulation.

asroprobit handles tied ranks by enumeration. For k tied ranks, it will generate k! rankings, where ! is the factorial operator $k! = k(k-1)(k-2)\cdots(2)(1)$. For two sets of tied ranks of size k_1 and k_2 , asroprobit will generate $k_1!k_2!$ rankings. The total probability is the sum of the probability of each ranking. For example, if there are two tied ranks such that $y_i = (J, J, J - 2, ..., 1)$, then asroprobit will evaluate $\Pr(\mathbf{y}_i) = \Pr(\mathbf{y}_i^{(1)}) + \Pr(\mathbf{y}_i^{(2)})$, where $\mathbf{y}_i^{(1)} = (J, J-1, J-2, \dots, 1)$ and $\mathbf{y}_{i}^{(2)} = (J-1, J, J-2, \dots, 1).$

This command supports the clustered version of the Huber/White/sandwich estimator of the variance using vce(robust) and vce(cluster clustvar). See [P] _robust, particularly Maximum likelihood estimators and Methods and formulas. Specifying vce(robust) is equivalent to specifying vce(cluster casevar), where casevar is the variable that identifies the cases.

Reference

Long, J. S., and J. Freese. 2014. Regression Models for Categorical Dependent Variables Using Stata. 3rd ed. College Station, TX: Stata Press.

Also see

- [R] asroprobit postestimation Postestimation tools for asroprobit
- [R] asmprobit Alternative-specific multinomial probit regression
- [R] **mlogit** Multinomial (polytomous) logistic regression
- [R] **mprobit** Multinomial probit regression
- [R] oprobit Ordered probit regression
- [U] 20 Estimation and postestimation commands