

Description

The below functions return density values, cumulatives, reverse cumulatives, inverse cumulatives, and in one case, derivatives of the indicated probability density function. These functions mirror the Stata functions of the same name and in fact are the Stata functions.

See [FN] **Statistical functions** for details. In the syntax diagram above, some arguments have been re-named in hope of aiding understanding, but the function arguments match one to one with the underlying Stata functions.

Syntax

Gaussian normal

$$d = \text{normalden}(z)$$
$$d = \text{normalden}(x, sd)$$
$$d = \text{normalden}(x, \text{mean}, sd)$$
$$p = \text{normal}(z)$$
$$z = \text{invnormal}(p)$$
$$\ln(d) = \text{lnormalden}(z)$$
$$\ln(d) = \text{lnormalden}(x, sd)$$
$$\ln(d) = \text{lnormalden}(x, \text{mean}, sd)$$
$$\ln(p) = \text{lnormal}(z)$$

Binormal

$$p = \text{binormal}(z_1, z_2, \text{rho})$$

Multivariate normal

$$\ln(d) = \text{lnmvnormalden}(M, V, X)$$

Beta

$$d = \text{betaden}(a, b, x)$$
$$p = \text{ibeta}(a, b, x)$$
$$q = \text{ibetatail}(a, b, x)$$
$$x = \text{invibeta}(a, b, p)$$
$$x = \text{invibetatail}(a, b, q)$$

Binomial

```
pk = binomialp(n, k, pi)
p = binomial(n, k, pi)
q = binomialtail(n, k, pi)
pi = invbinomial(n, k, p)
pi = invbinomialtail(n, k, q)
```

Cauchy

```
d = cauchyden(a, b, x)
p = cauchy(a, b, x)
q = cauchytail(a, b, x)
x = invcauchy(a, b, p)
x = invcauchytail(a, b, q)
ln(d) = lncauchyden(a, b, x)
```

 χ^2

```
d = chi2den(df, x)
p = chi2(df, x)
q = chi2tail(df, x)
x = invchi2(df, p)
x = invchi2tail(df, q)
```

Dunnnett's multiple range

```
p = dunnettprob(k, df, x)
x = invdunnettprob(k, df, p)
```

Exponential

```
d = exponentialden(b, x)
p = exponential(b, x)
q = exponentialtail(b, x)
x = invexponential(b, p)
x = invexponentialtail(b, q)
```

F

```
d = Fden(df1, df2, f)
p = F(df1, df2, f)
q = Ftail(df1, df2, f)
f = invF(df1, df2, p)
f = invFtail(df1, df2, q)
```

Gamma and inverse gamma

```

d = gammaden(a, b, g, x)
p = gammap(a, x)
q = gammaptail(a, x)
x = invgammap(a, p)
x = invgammaptail(a, q)
dg/da = dgammapda(a, x)
dg/dx = dgammapdx(a, x)
d2g/da2 = dgammapdada(a, x)
d2g/dadx = dgammapdadx(a, x)
d2g/dx2 = dgammapdxdx(a, x)
ln(d) = lnigammaden(a, b, x)

```

Hypergeometric

```

pk = hypergeometricp(N, K, n, k)
p = hypergeometric(N, K, n, k)

```

Inverse Gaussian

```

d = igaussianden(m, a, x)
p = igaussian(m, a, x)
q = igaussiantail(m, a, x)
x = invigaussian(m, a, p)
x = invigaussiantail(m, a, q)
ln(d) = lnigaussianden(m, a, x)

```

Laplace

```

d = laplaceden(m, b, x)
p = laplace(m, b, x)
q = laplacetail(m, b, x)
x = invlaplace(m, b, p)
x = invlaplacetail(m, b, q)
ln(d) = lnlaplaceden(m, b, x)

```

Logistic

```

d = logisticden(x)
d = logisticden(s, x)
d = logisticden(m, s, x)
p = logistic(x)
p = logistic(s, x)
p = logistic(m, s, x)
q = logistictail(x)
q = logistictail(s, x)
q = logistictail(m, s, x)
x = invlogistic(p)
x = invlogistic(s, p)
x = invlogistic(m, s, p)
x = invlogistictail(q)
x = invlogistictail(s, q)
x = invlogistictail(m, s, q)

```

Negative binomial

```

pk = nbinomialp(n, k, pi)
p = nbinomial(n, k, pi)
q = nbinomialtail(n, k, pi)
pi = invnbinomial(n, k, p)
pi = invnbinomialtail(n, k, q)

```

Noncentral beta

```

d = nbetaden(a, b, np, x)
p = nibeta(a, b, np, x)
x = invnibeta(a, b, np, p)

```

Noncentral χ^2

```

d = nchi2den(df, np, x)
p = nchi2(df, np, x)
q = nchi2tail(df, np, x)
x = invnchi2(df, np, p)
x = invnchi2tail(df, np, q)
np = npnchi2(df, x, p)

```

Noncentral F

```

d = nFden(df1, df2, np, f)
p = nF(df1, df2, np, f)
q = nFtail(df1, df2, np, f)
f = invnF(df1, df2, np, p)
f = invnFtail(df1, df2, np, q)
np = npnF(df1, df2, f, p)

```

Noncentral Student's t

```

d = ntden(df, np, t)
p = nt(df, np, t)
q = nttail(df, np, t)
t = invnt(df, np, p)
t = invnttail(df, np, q)
np = npnt(df, t, p)

```

Poisson

```

pk = poissonp(mean, k)
p = poisson(mean, k)
q = poissontail(mean, k)
m = invpoisson(k, p)
m = invpoissontail(k, q)

```

Student's t

```

d = tden(df, t)
p = t(df, t)
q = ttail(df, t)
t = invt(df, p)
t = invttail(df, q)

```

Tukey's Studentized range

```

p = tukeyprob(k, df, x)
x = invtukeyprob(k, df, p)

```

Weibull

```
 $d = \text{weibullden}(a, b, x)$   
 $d = \text{weibullden}(a, b, g, x)$   
 $p = \text{weibull}(a, b, x)$   
 $p = \text{weibull}(a, b, g, x)$   
 $q = \text{weibulltail}(a, b, x)$   
 $q = \text{weibulltail}(a, b, g, x)$   
 $x = \text{invweibull}(a, b, p)$   
 $x = \text{invweibull}(a, b, g, p)$   
 $x = \text{invweibulltail}(a, b, q)$   
 $x = \text{invweibulltail}(a, b, g, q)$ 
```

Weibull (proportional hazards)

```
 $d = \text{weibullphden}(a, b, x)$   
 $d = \text{weibullphden}(a, b, g, x)$   
 $p = \text{weibullph}(a, b, x)$   
 $p = \text{weibullph}(a, b, g, x)$   
 $q = \text{weibullphtail}(a, b, x)$   
 $q = \text{weibullphtail}(a, b, g, x)$   
 $x = \text{invweibullph}(a, b, p)$   
 $x = \text{invweibullph}(a, b, g, p)$   
 $x = \text{invweibullphtail}(a, b, q)$   
 $x = \text{invweibullphtail}(a, b, g, q)$ 
```

Wishart and inverse Wishart

```
 $\ln(d) = \text{lnwishartden}(df, V, X)$   
 $\ln(d) = \text{lniwishartden}(df, V, X)$ 
```

where

1. All functions return real and all arguments are real or real matrices.
2. The left-hand-side notation is used to assist in interpreting the meaning of the returned value:

d = density value
 pk = probability of discrete outcome $K = \Pr(K = k)$
 p = left cumulative
 = $\Pr(-\text{infinity} < \text{statistic} \leq x)$ (continuous)
 = $\Pr(0 \leq K \leq k)$ (discrete)
 q = right cumulative
 = $1 - p$ (continuous)
 = $\Pr(K \geq k) = 1 - p + pk$ (discrete)
 np = noncentrality parameter
 $\ln(p)$ = log cumulative
 $\ln(d)$ = log density

3. Hypergeometric distribution:

N = number of objects in the population
 K = number of objects in the population with the characteristic of interest,
 $K < N$
 n = sample size, $n < N$
 k = number of objects in the sample with the characteristic of interest,
 $\max(0, n - N + K) \leq k \leq \min(K, n)$

4. Negative binomial distribution: $n > 0$ and may be nonintegral.
5. Multivariate normal, Wishart, and inverse-Wishart distributions:

M = mean vector
 V = covariance or scale matrix
 X = random vector for multivariate normal or
 random matrix for Wishart and inverse Wishart

Remarks and examples

Remarks are presented under the following headings:

[R-conformability](#)
[A note concerning `invbinomial\(\)` and `invbinomialtail\(\)`](#)
[A note concerning `ibeta\(\)`](#)
[A note concerning `gammmap\(\)`](#)

R-conformability

The above functions are usually used with scalar arguments and then return a scalar result:

```

: x = chi2(10, 12)
: x
.7149434997

```

The arguments may, however, be vectors or matrices. For instance,

```

: x = chi2((10,11,12), 12)
: x
      1          2          3
1 | .7149434997  .6363567795  .5543203586
: x = chi2(10, (12,12.5,13))
: x
      1          2          3
1 | .7149434997  .7470146767  .7763281832
: x = chi2((10,11,12), (12,12.5,13))
: x
      1          2          3
1 | .7149434997  .6727441644  .6309593164

```

In the last example, the numbers correspond to $\text{chi2}(10, 12)$, $\text{chi2}(11, 12.5)$, and $\text{chi2}(12, 13)$.

Arguments are required to be *r-conformable* (see [M-6] Glossary), and thus,

```

: x = chi2((10\11\12), (12,12.5,13))
: x
      1          2          3
1 | .7149434997  .7470146767  .7763281832
2 | .6363567795  .6727441644  .7066745906
3 | .5543203586  .593595966   .6309593164

```

which corresponds to

	1	2	3
1	$\text{chi2}(10,12)$	$\text{chi2}(10,12.5)$	$\text{chi2}(10,13)$
2	$\text{chi2}(11,12)$	$\text{chi2}(11,12.5)$	$\text{chi2}(11,13)$
3	$\text{chi2}(12,12)$	$\text{chi2}(12,12.5)$	$\text{chi2}(12,13)$

A note concerning `invbinomial()` and `invbinomialtail()`

$\text{invbinomial}(n, k, p)$ $\text{invbinomialtail}(n, k, q)$ are useful for calculating confidence intervals for p_i , the probability of a success. $\text{invbinomial}()$ returns the probability p_i such that the probability of observing k or fewer successes in n trials is p . $\text{invbinomialtail}()$ returns the probability p_i such that the probability of observing k or more successes in n trials is q .

A note concerning `ibeta()`

$\text{ibeta}(a, b, x)$ is known as the cumulative beta distribution, and it is known as the incomplete beta function $I_x(a, b)$.

A note concerning `gammap()`

`gammap(a, x)` is known as the cumulative gamma distribution, and it is known as the incomplete gamma function $P(a, x)$.

Conformability

All functions require that arguments be r-conformable; see *R-conformability* above. Returned is matrix of $\max(\text{argument rows})$ rows and $\max(\text{argument columns})$ columns containing element-by-element calculated results.

Diagnostics

All functions return missing when arguments are out of range.

Also see

[M-5] `mvnormal()` — Compute multivariate normal distributions and derivatives

[M-4] **Statistical** — Statistical functions

Stata, Stata Press, Mata, NetCourse, and NetCourseNow are registered trademarks of StataCorp LLC. Stata and Stata Press are registered trademarks with the World Intellectual Property Organization of the United Nations. StataNow is a trademark of StataCorp LLC. Other brand and product names are registered trademarks or trademarks of their respective companies. Copyright © 1985–2025 StataCorp LLC, College Station, TX, USA. All rights reserved.



For suggested citations, see the FAQ on [citing Stata documentation](#).